

Long-term evolution of the particle energy spectrum in relativistic magnetic reconnection

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Magnetic Reconnection in Space, Solar, Astrophysical, and Laboratory
Plasmas (MR2018)

Astrophysical
motivation

Simulations
& results

Open
questions

Non-thermal broadband radiation

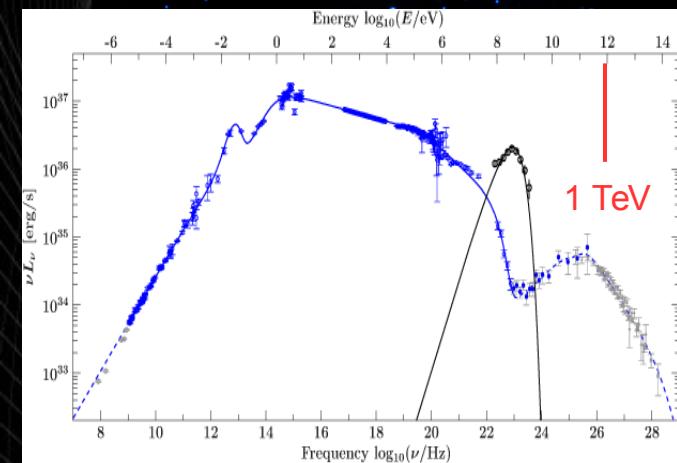
PWNe



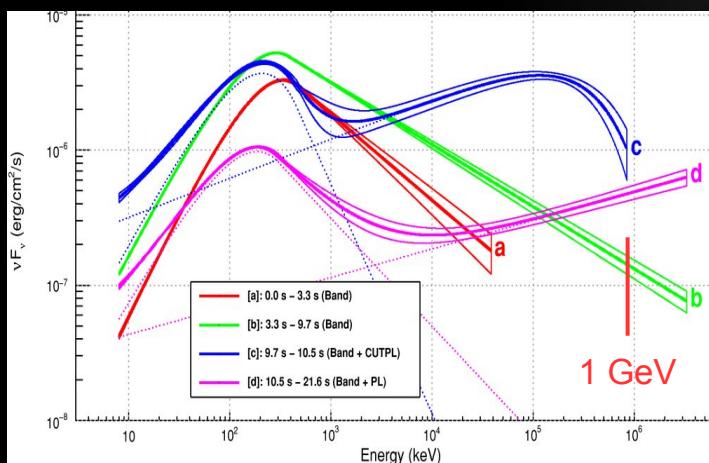
GRBs



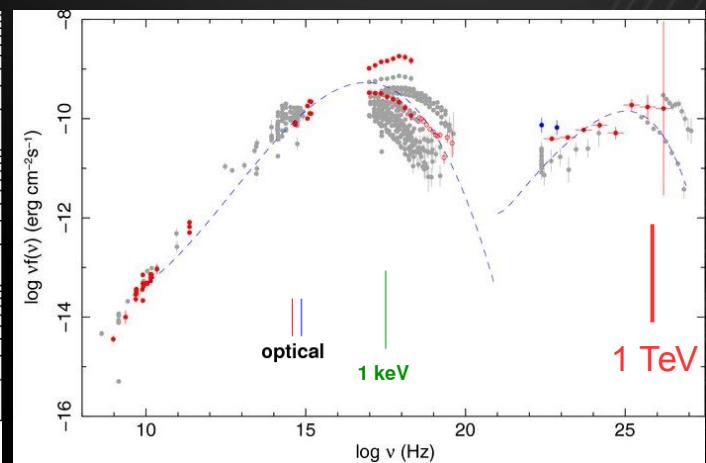
Jetted
AGN



Lyutikov 2014



Ackermann+2011



Abdo+2010

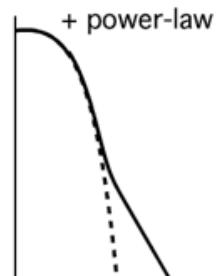
(a) thermal



(b) thermal + power-law



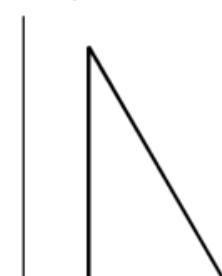
(c) thermal + power-law



(d) kappa



(e) power-law



small

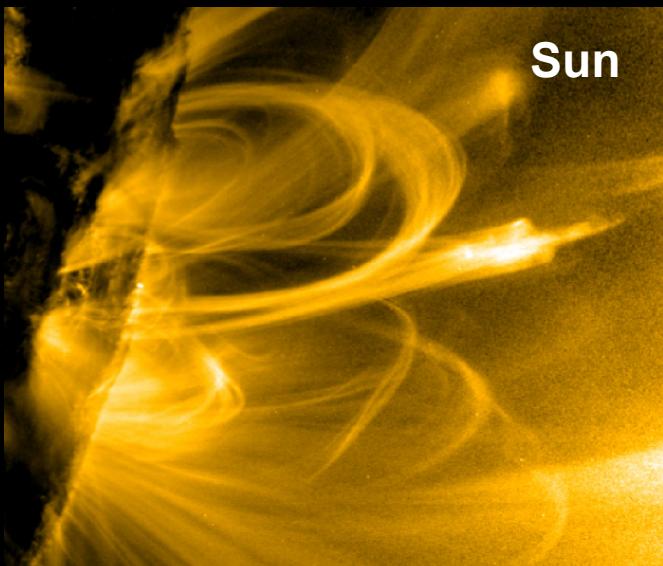
Non-thermal fraction

large

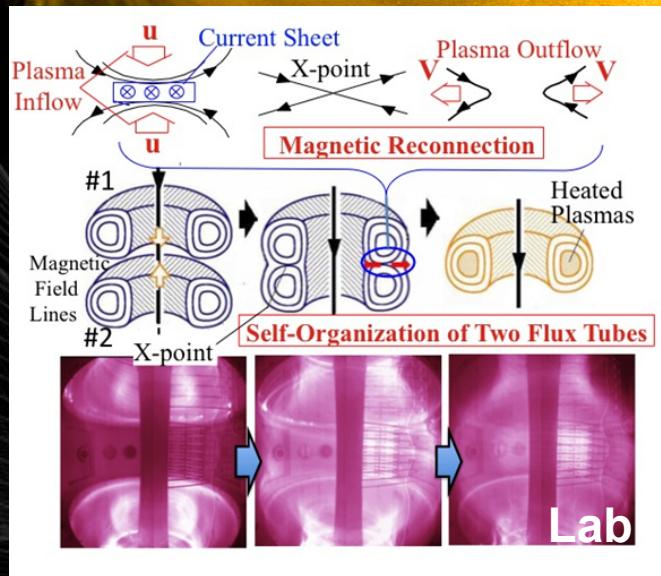
Regimes of magnetic reconnection

$$\sigma = \frac{B_0^2}{4\pi n_0 m c^2}$$

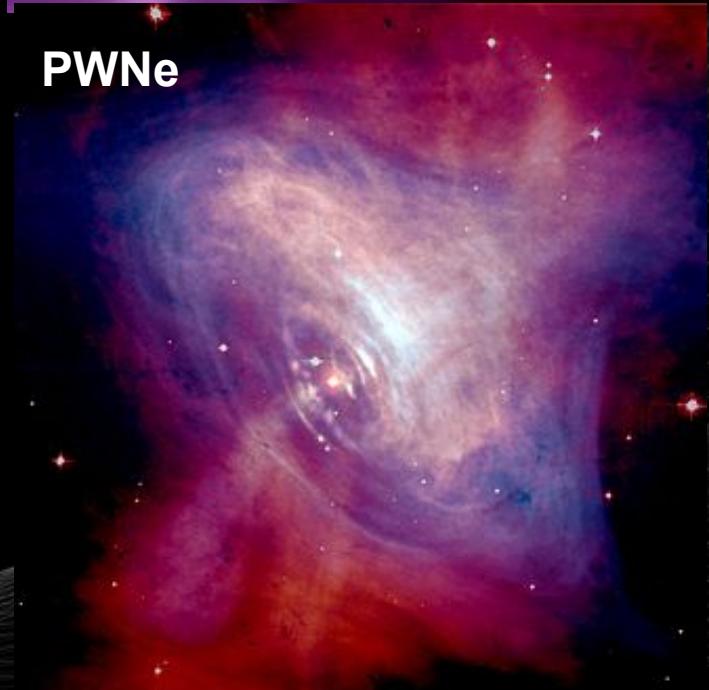
$\sigma \ll 1$



$\sigma \gg 1$

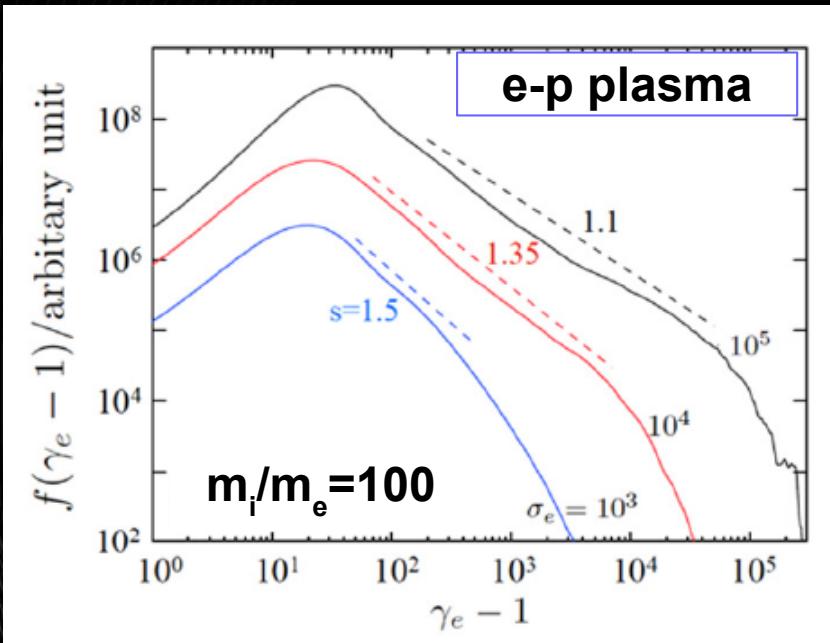


Non-relativistic reconnection

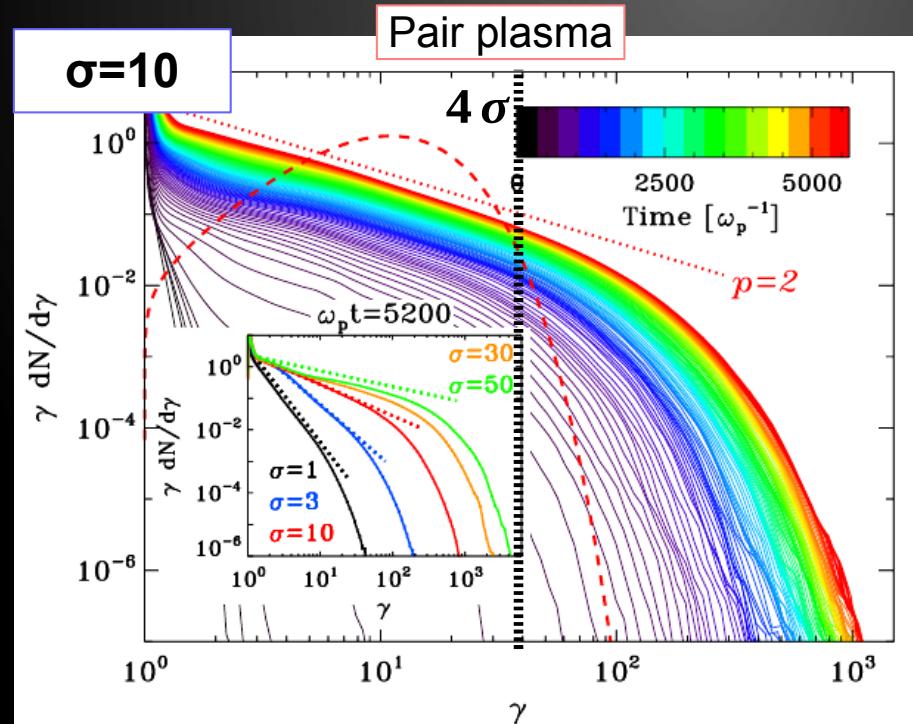


Relativistic reconnection

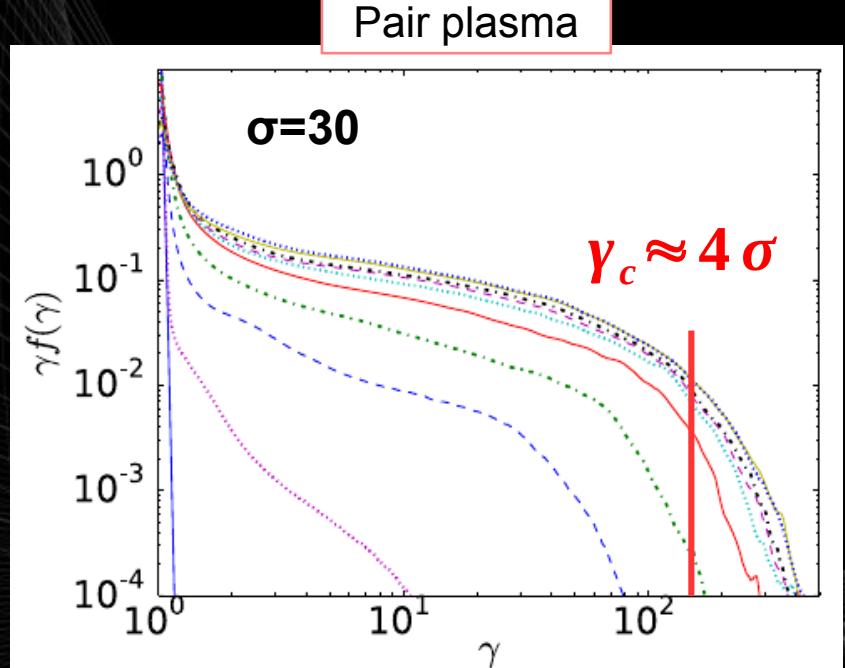
Non-thermal particle distributions



Guo+2016



Sironi & Spitkovsky 2014



Werner+2016

$$\frac{dN}{dy} \propto \gamma^{-p} \exp[-\gamma/\gamma_{cut}]$$

Power-law slope (σ -dependent)

High-energy cutoff

Open questions

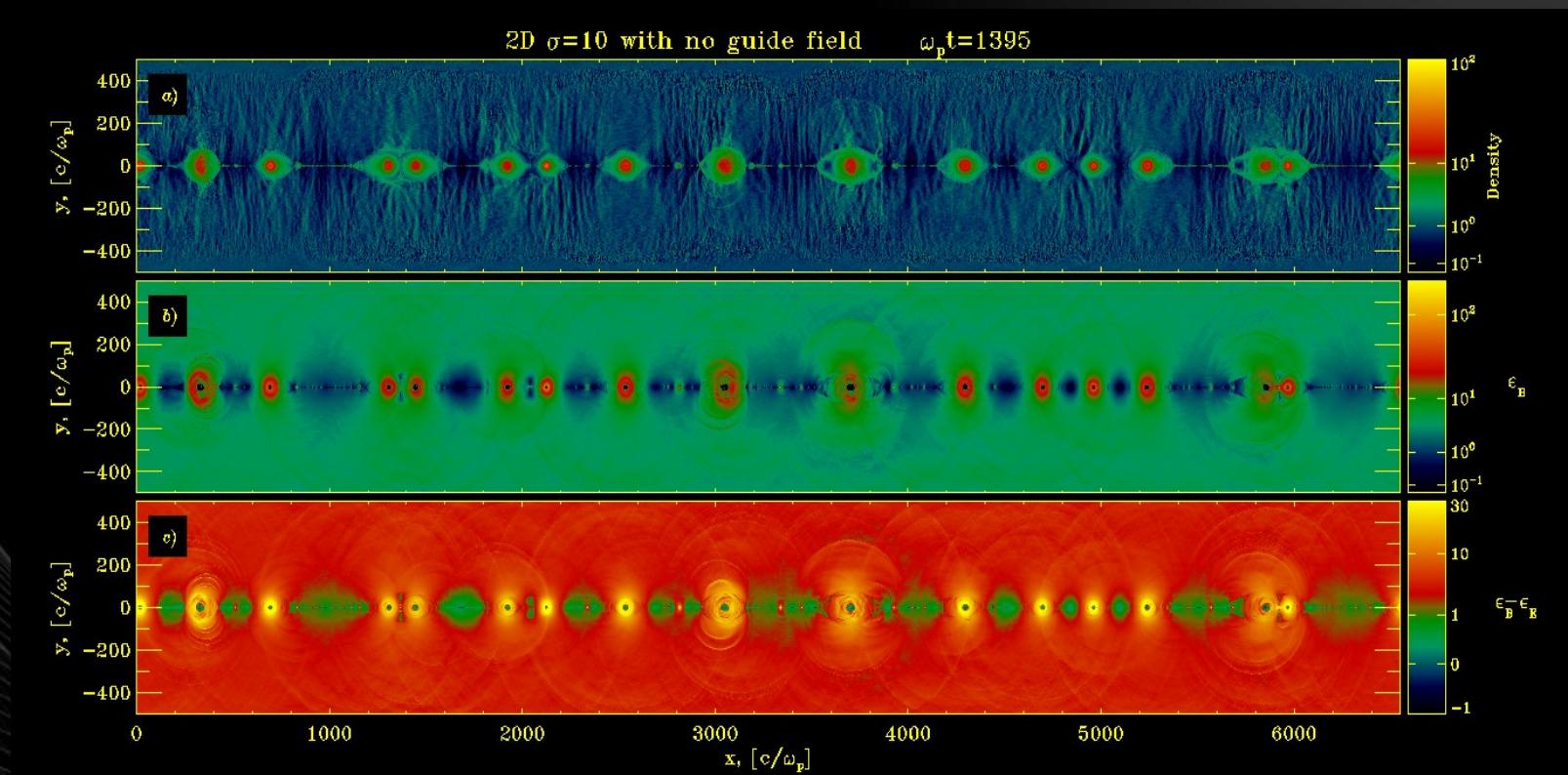
What is the long-term evolution of the particle distribution?

Does the high-energy cutoff saturate at 4σ ?
(Werner+2016; Kagan+2018)

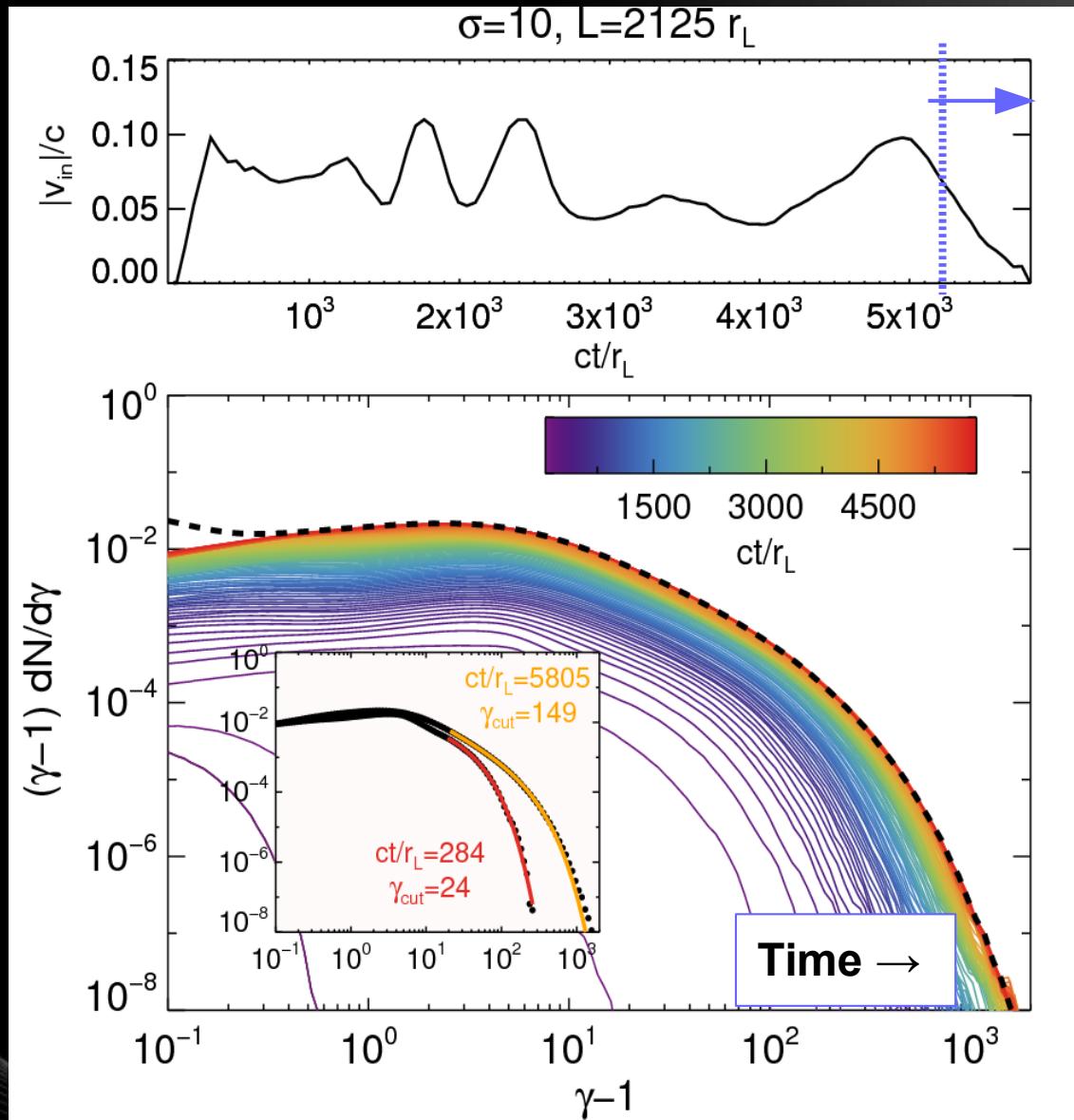
How do energetic particles get accelerated?

Simulations

- 2D PIC simulations of anti-parallel reconnection in pair plasma
- Code: TRISTAN-MP (*Buneman 1993, Spitkovsky 2005, Sironi +2013*)
- Boundary conditions: Periodic in x-direction, receding injector in y-direction
- Different physical parameters (magnetization, upstream temperature, current sheet thickness)
- Different box sizes ($500 - 4250 r_L$, $r_L = \sqrt{\sigma} c / \omega_p$)

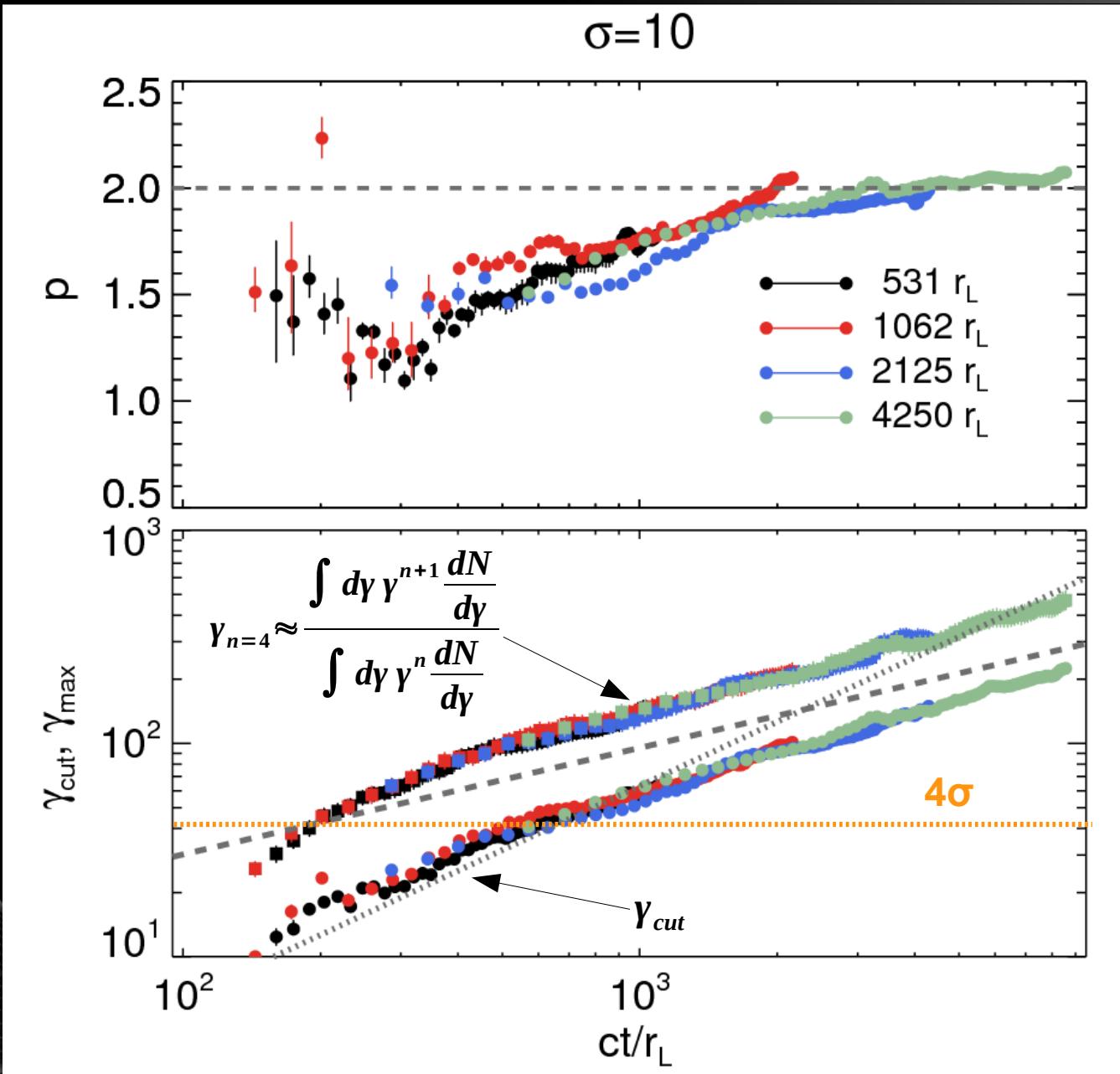


Particle distribution fitting



One large plasmoid in the domain →
Reconnection will shut off

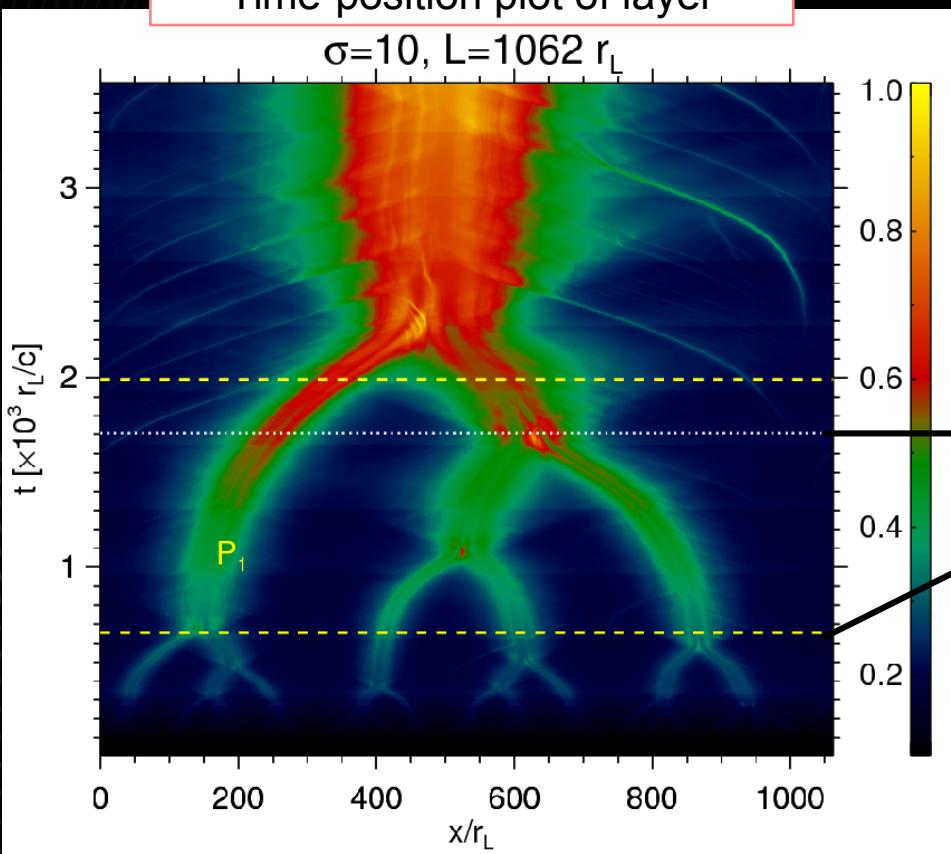
Evolution of slope & cutoff



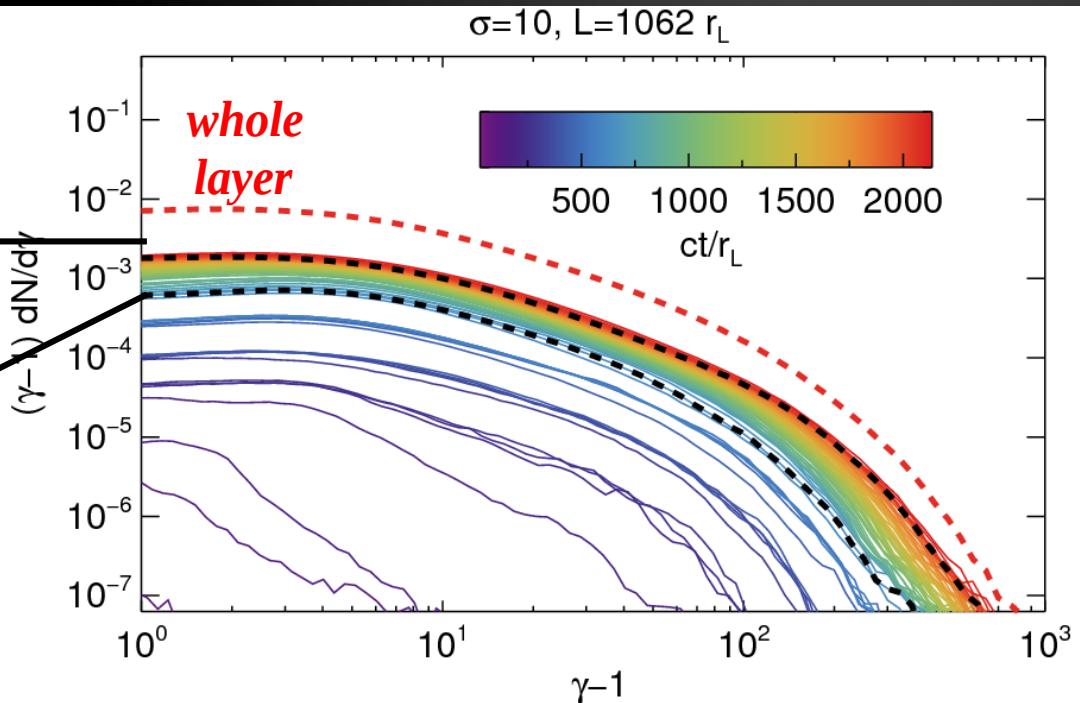
Spectrum of an "isolated" plasmoid

Time-position plot of layer

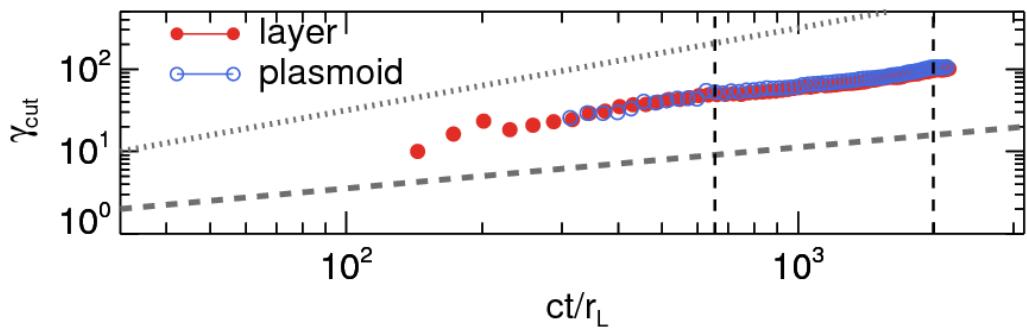
$\sigma=10, L=1062 r_L$



$\sigma=10, L=1062 r_L$

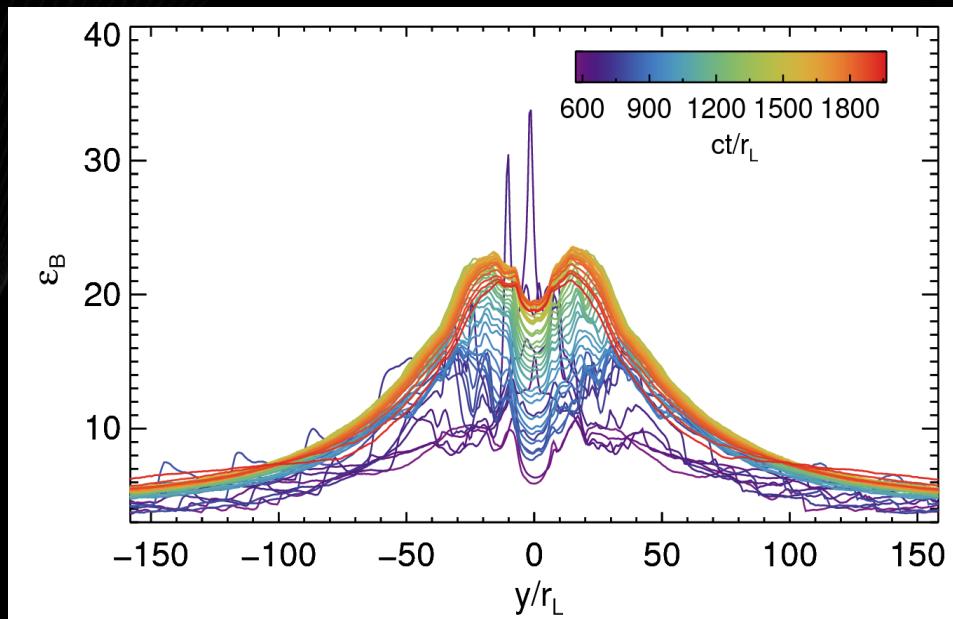


Similar spectral evolution of layer & isolated plasmoid

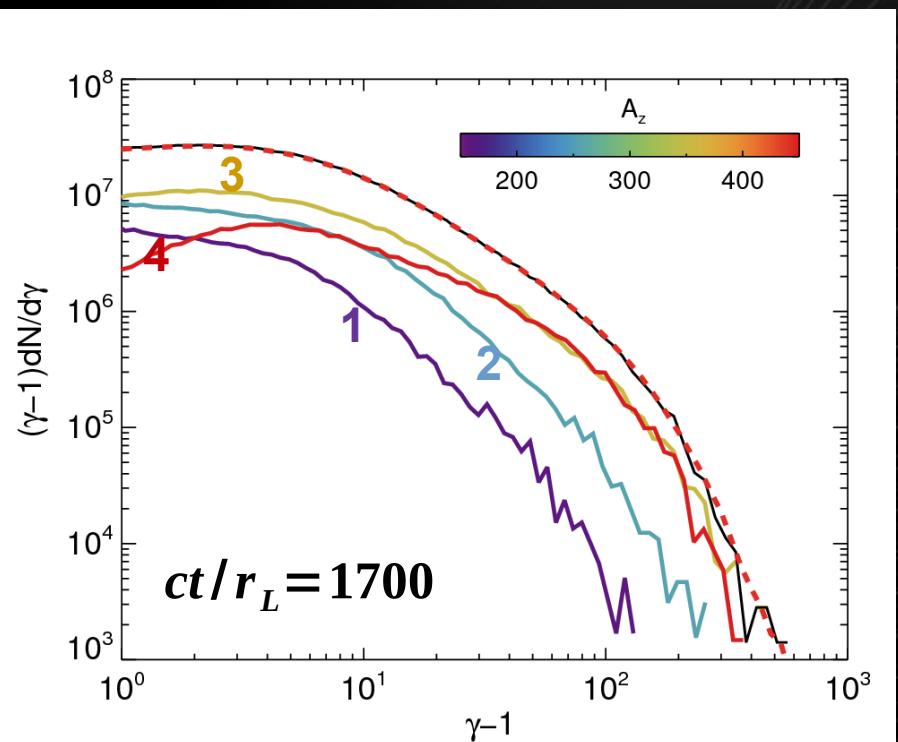
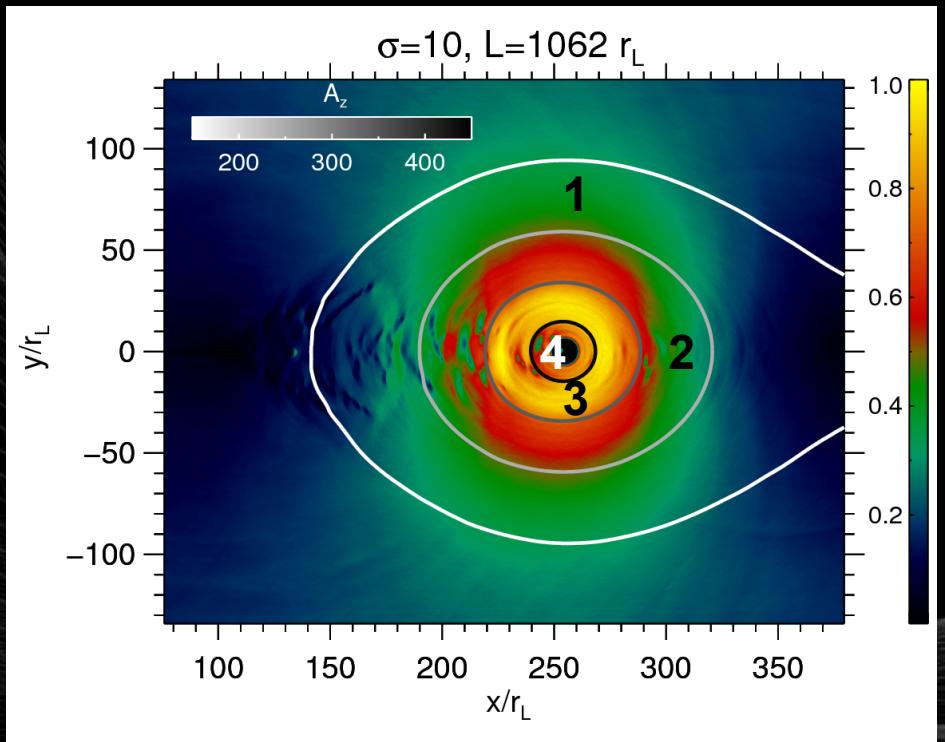


Plasmoid "tomography"

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here**

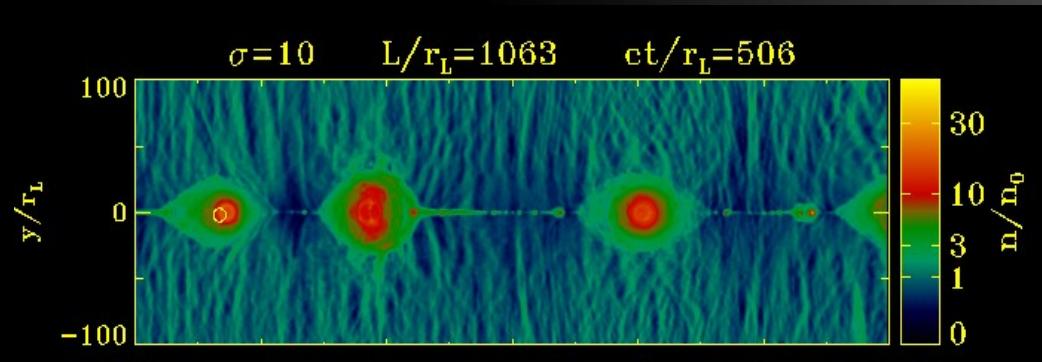


Particles controlling
the cutoff reside in
a magnetized ring

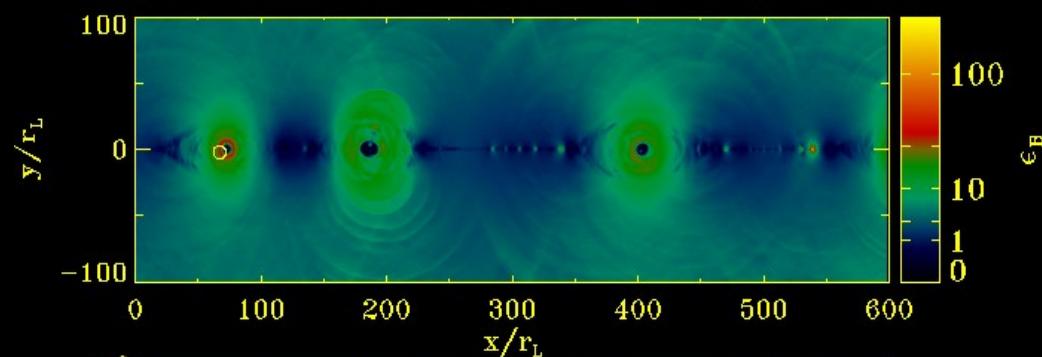


Particle tracking - 1

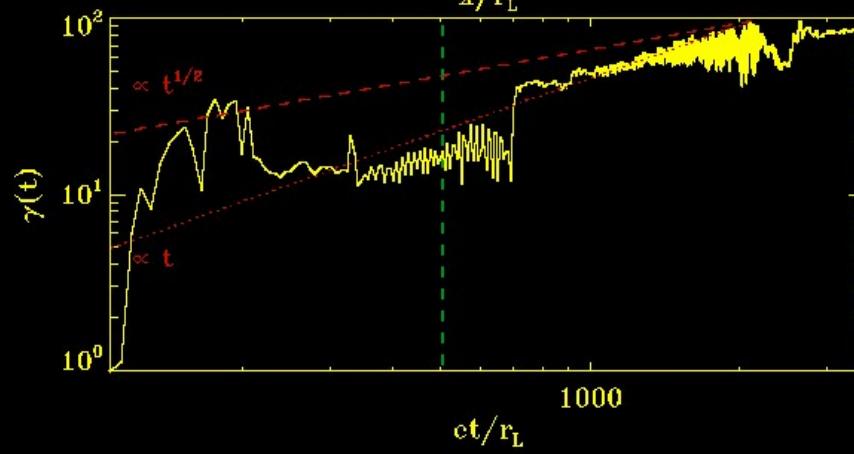
n/n_0



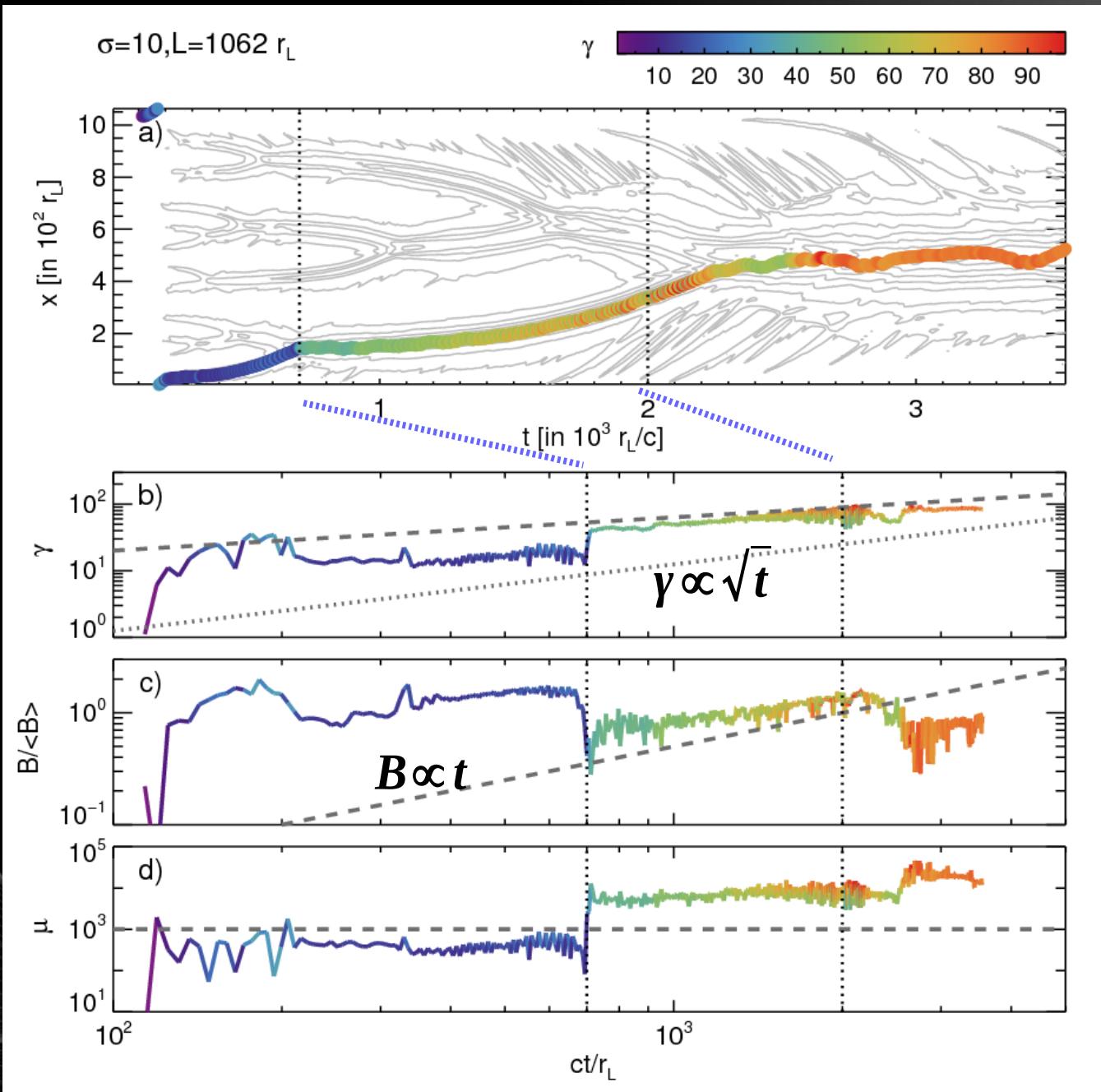
ϵ_B



γ

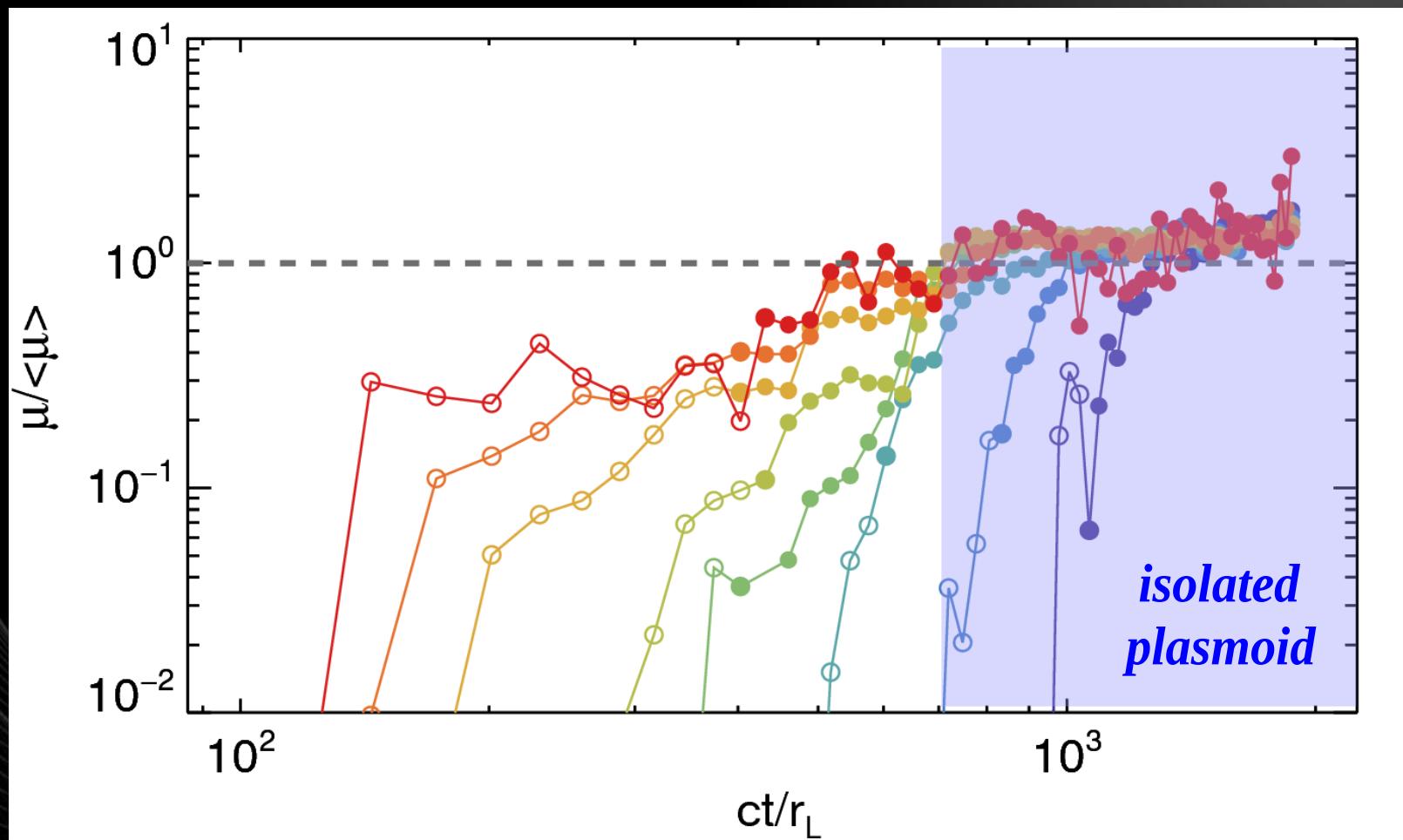


Particle tracking - 2



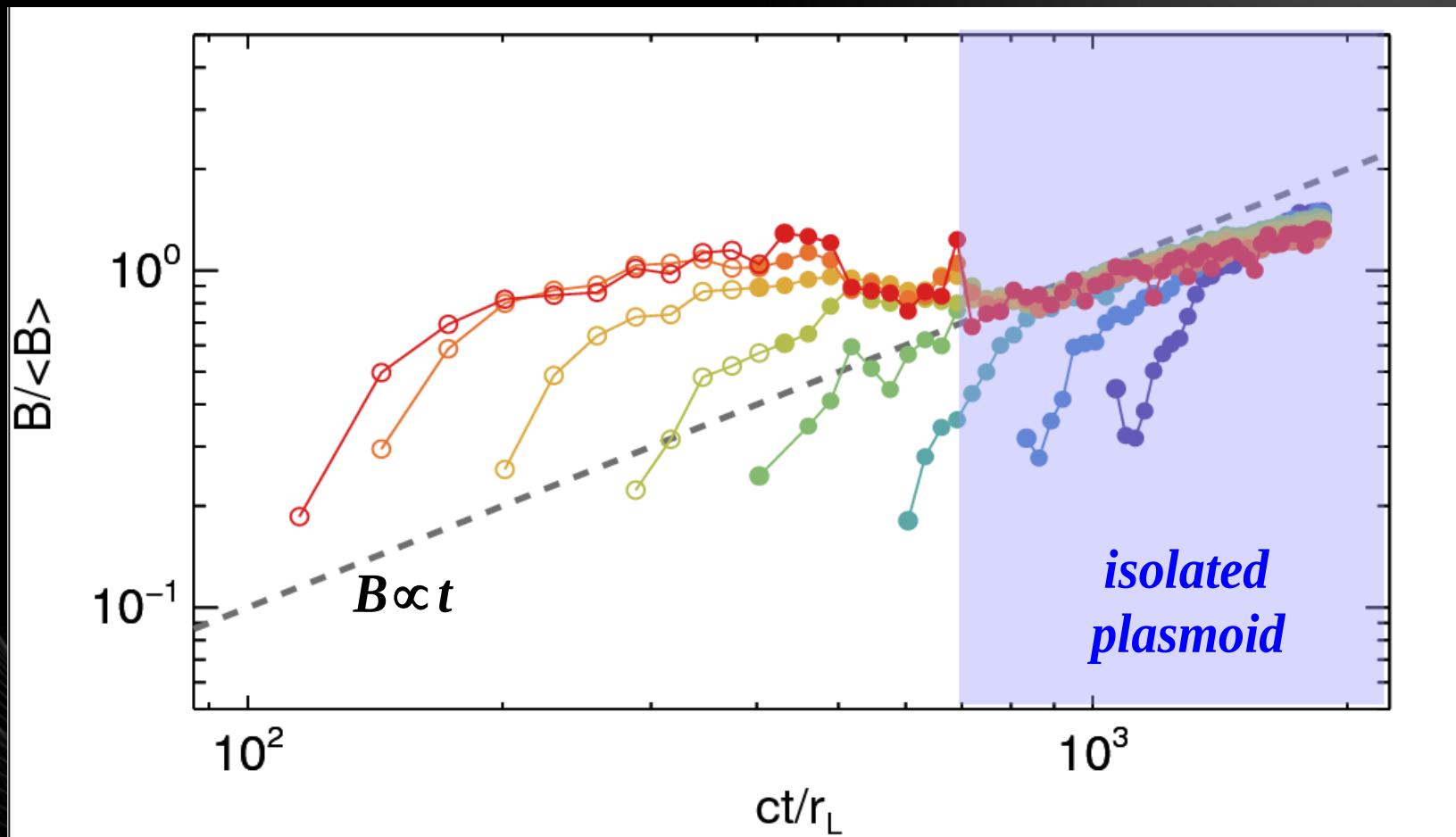
Particle magnetic moment

Magnetic moment in isolated phase is \sim constant



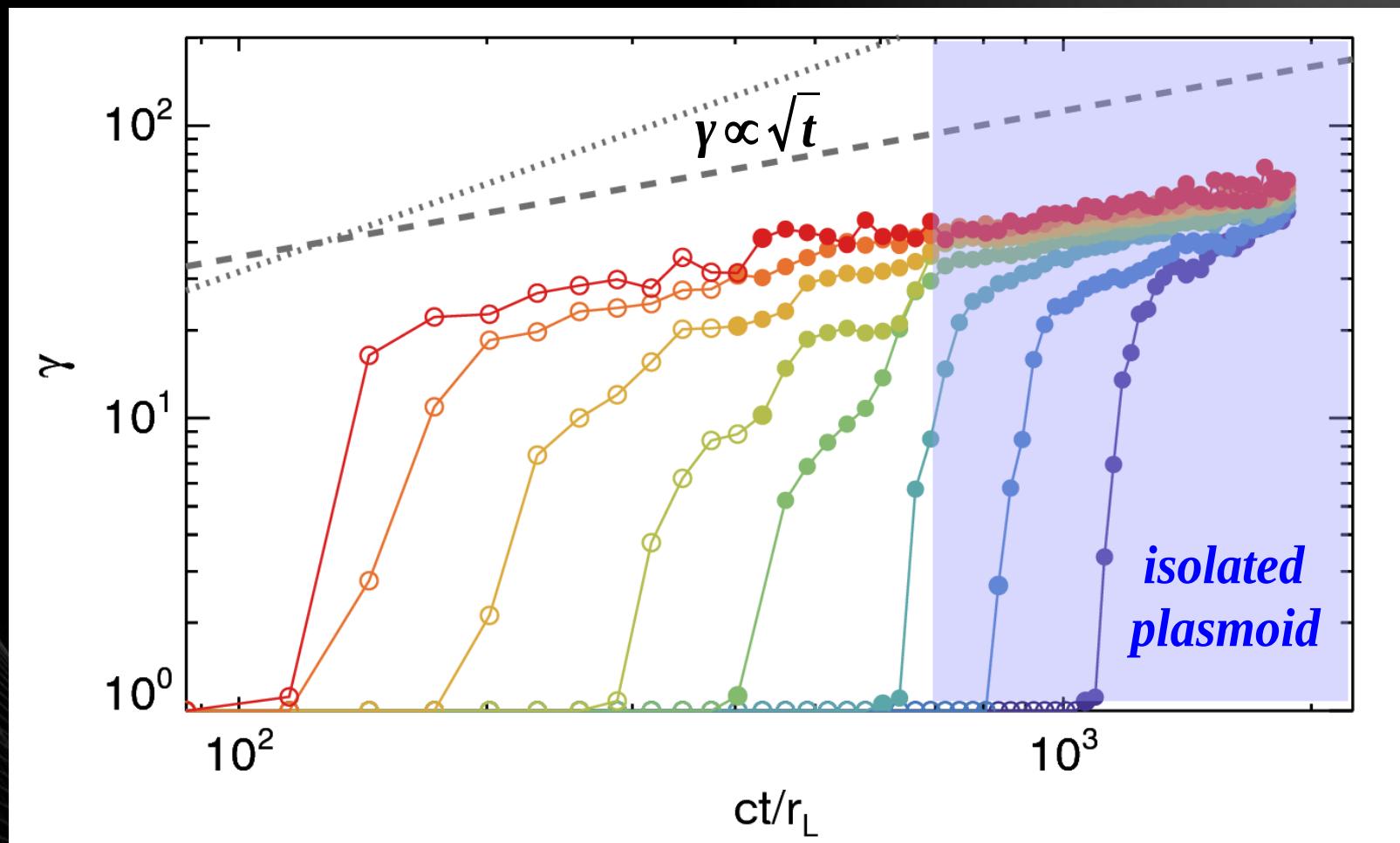
Magnetic field along trajectory

Particles experience stronger B-fields



Energy evolution of particles

Sub-linear evolution of particle energy with time



Summary

The high-energy cutoff increases beyond 4σ , if box size is large & reconnection stays active.

The high-energy cutoff increases as $t^{1/2}$ after it exceeds the $\sim 4\sigma$ value.

Particles controlling the cutoff reside in a magnetized ring around the core.

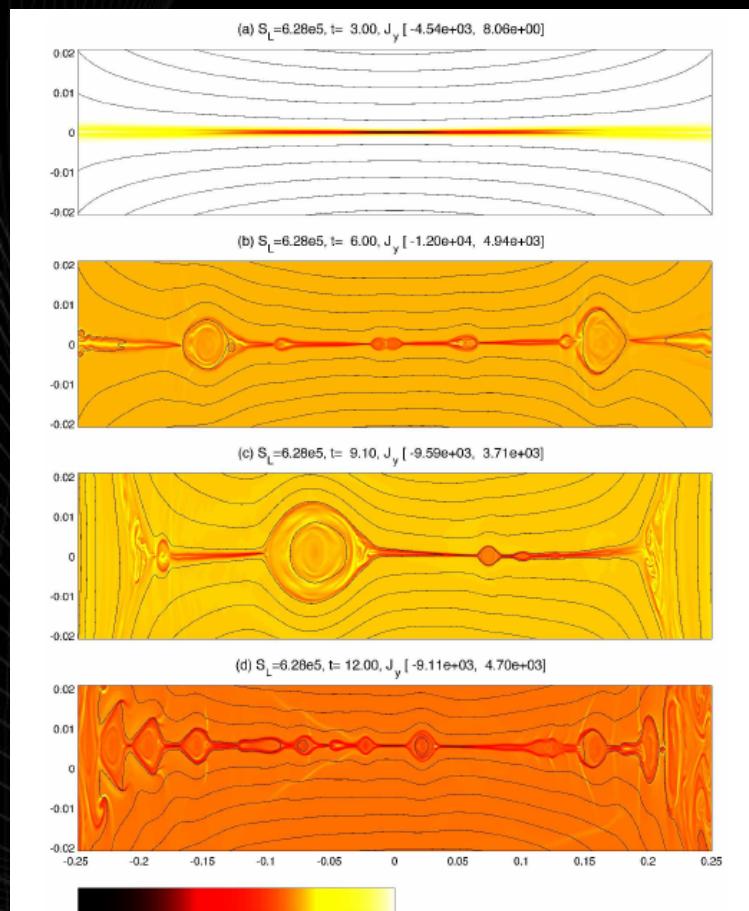
Particles gain energy due to local B increase in plasmoids & conservation of magnetic moment.

Thank you!

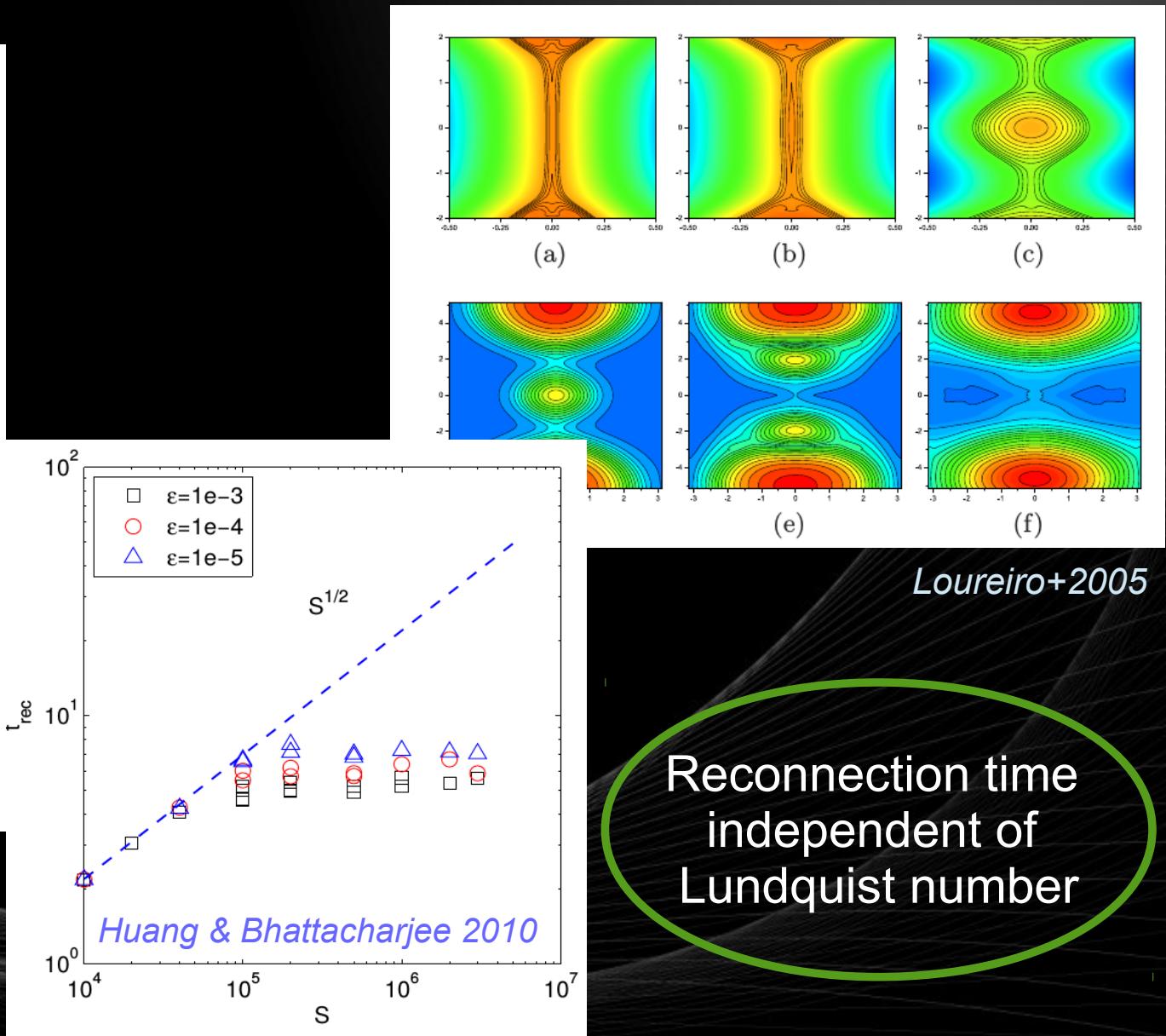
Back-up slides

Plasmoid-dominated reconnection

Zenitani & Hoshino 2001, Loureiro+2005; 2007, Bhattacharjee+2009, Uzdensky+2010, Loureiro+2012, Guo+2014; 2015, Sironi & Spitkovsky 2014; Nalewajko+2015; Sironi+2015; Werner+2016, Sironi+2016 ...



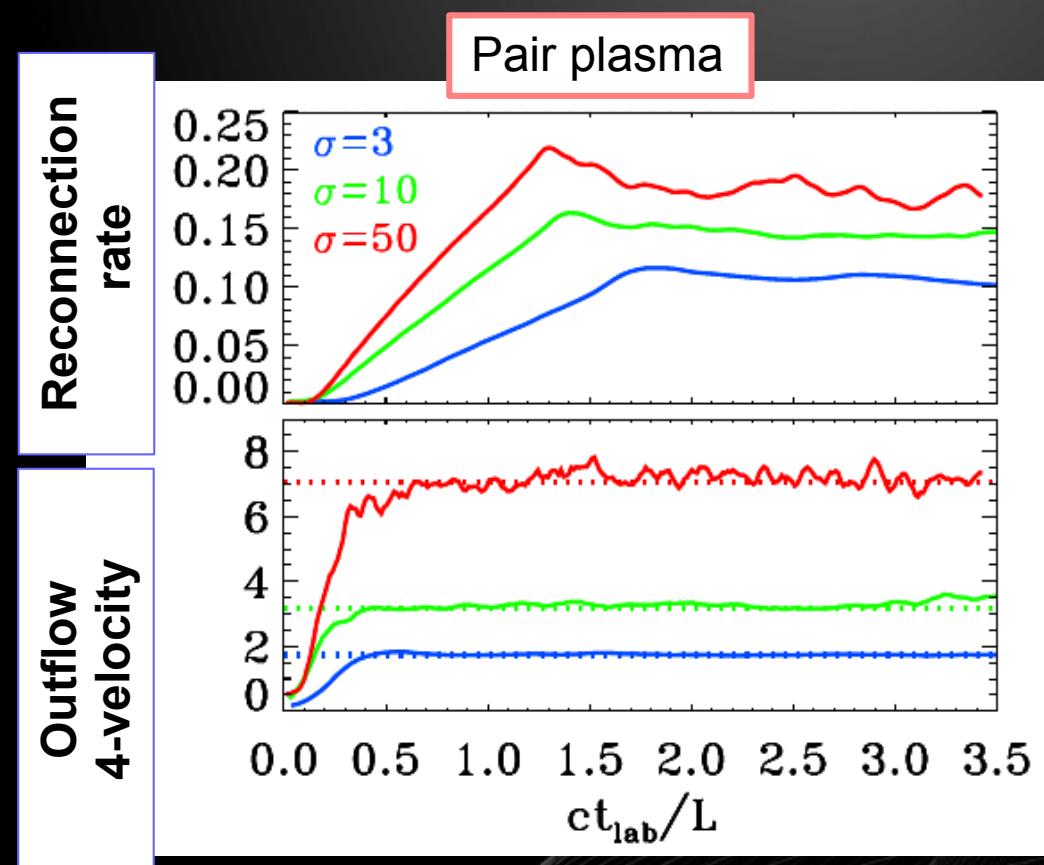
Bhattacharjee+2009



What makes plasmoid-dominated reconnection appealing for astrophysical applications?

Fast dissipation

Fast bulk plasma motion



Sironi, Giannios, MP 2016

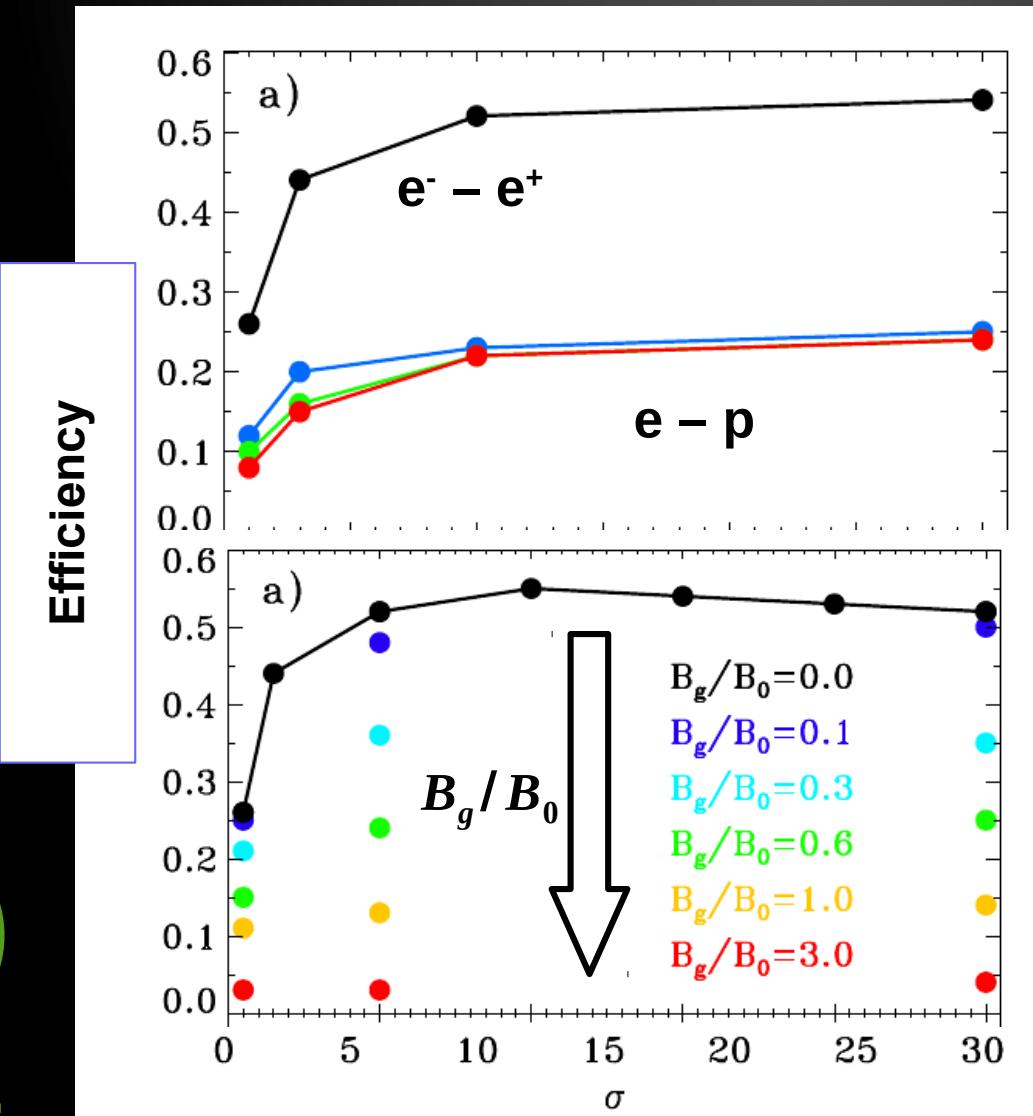
What makes plasmoid-dominated reconnection appealing for astrophysical applications?

Efficient dissipation

Efficiency:

$$f_{rec} = \frac{\sum_i \int_{V_i} U_e dV_i}{\sum_i \int_{V_i} (e + \rho c^2 + U_B) dV_i}$$

Efficiency depends on guide field



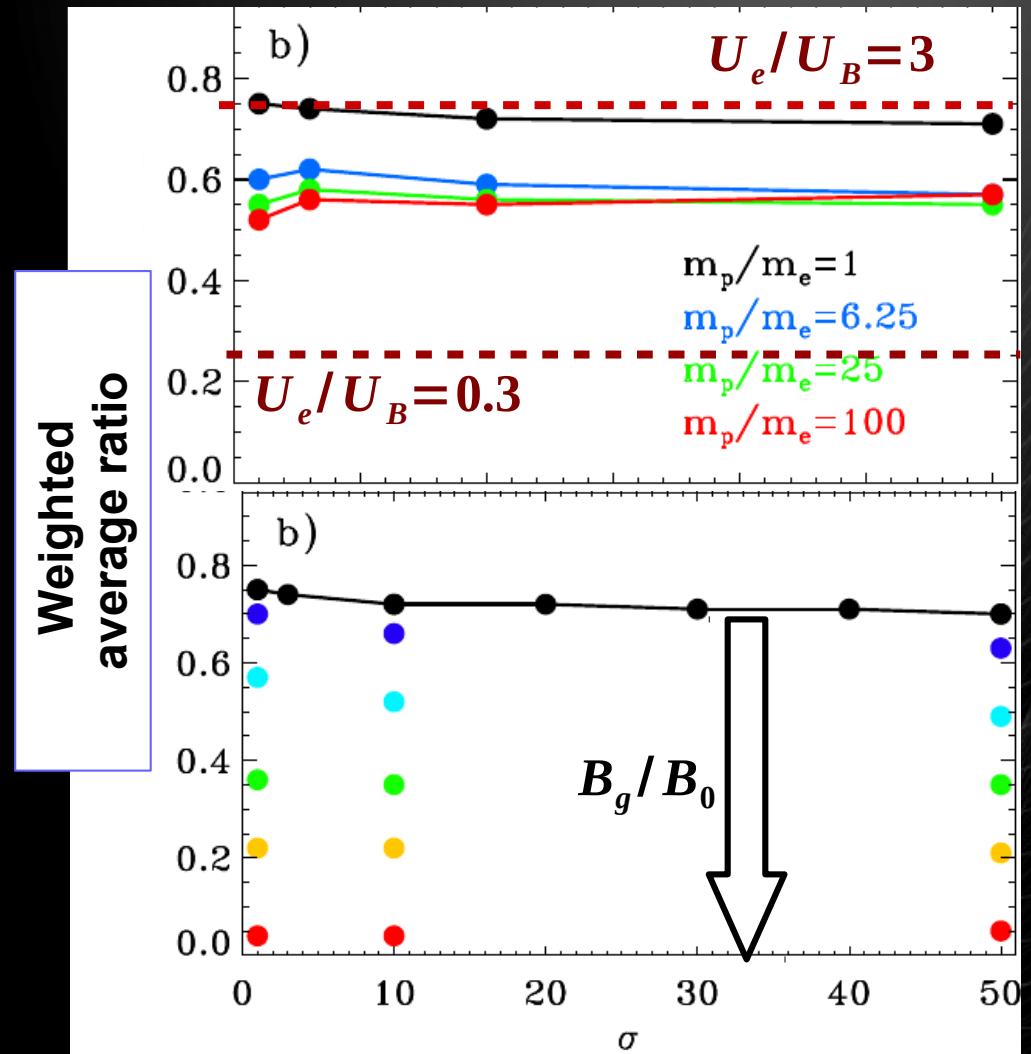
What makes plasmoid-dominated reconnection appealing for astrophysical applications?

Rough energy equipartition

Weighted average energy density ratio :

$$\left\langle \frac{U_e}{U_e + U_B} \right\rangle = \frac{\sum_i \int_{V_i} U_e \frac{U_e}{U_e + U_B} dV_i}{\sum_i \int_{V_i} U_e dV_i}$$

$U_B \gg U_e$ for strong guide fields



Simulations with periodic BC

σ	c/ω_p [cells]	L [c/ω_p]	L [$r_{L, \text{hot}}$]*	Duration [$1/\omega_p$]
10	5	1680	531	3375
10	5	3360	1062	13500
10	5	6720	2125	18360
10	5	13440	4250	27000
10	10	1680	531	3375
10	10	3360	1062	6750
50	5	1680	237.5	3375
50	5	3360	475	6750
50	5	6720	950	13500
50	5	13440	1900	27000

Click here

Note: $r_{L, \text{hot}} = \sqrt{\sigma} c / \omega_p$

Combined view of layer & particle spectrum

$$y/r_L$$

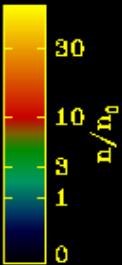


$$y/r_L$$

$$\sigma=10$$

$$L/r_L=2125$$

$$ct/r_L=1081$$

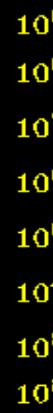


$$(\gamma-1) \frac{dN}{dy}$$

$$\frac{dN}{dy} \propto y^{-p} e^{-\gamma/\gamma_{cut}}$$



$$(\gamma-1)dN/dy$$

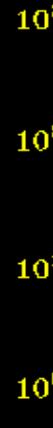


$$\gamma_{cut}, \gamma_{n=4} \approx \int d\gamma \gamma^{n+1} \frac{dN}{d\gamma}$$

$$\int d\gamma \gamma^n \frac{dN}{d\gamma}$$

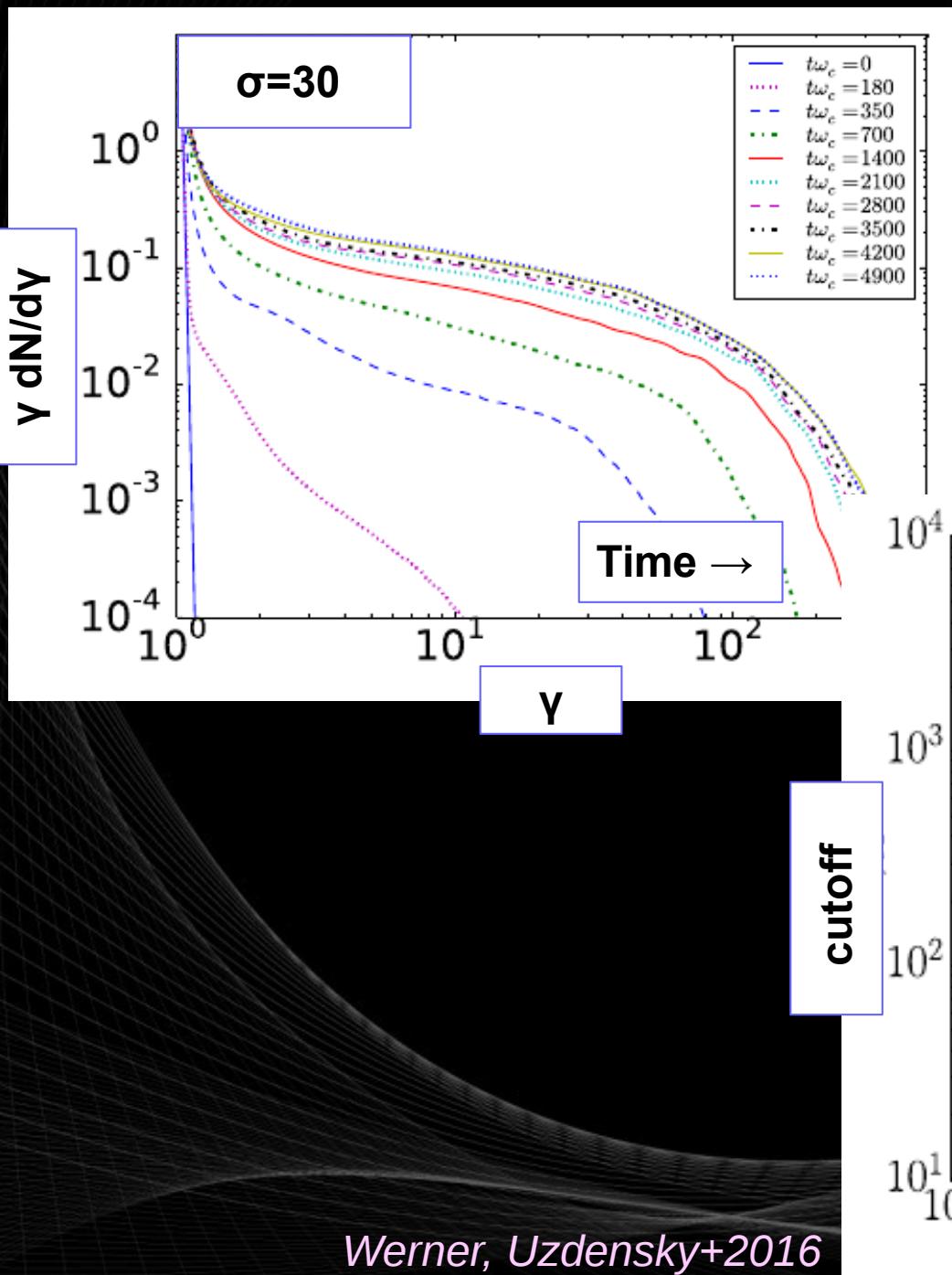


$$\gamma_{cut} (\text{diamonds}); \gamma_{max} (\text{circles})$$



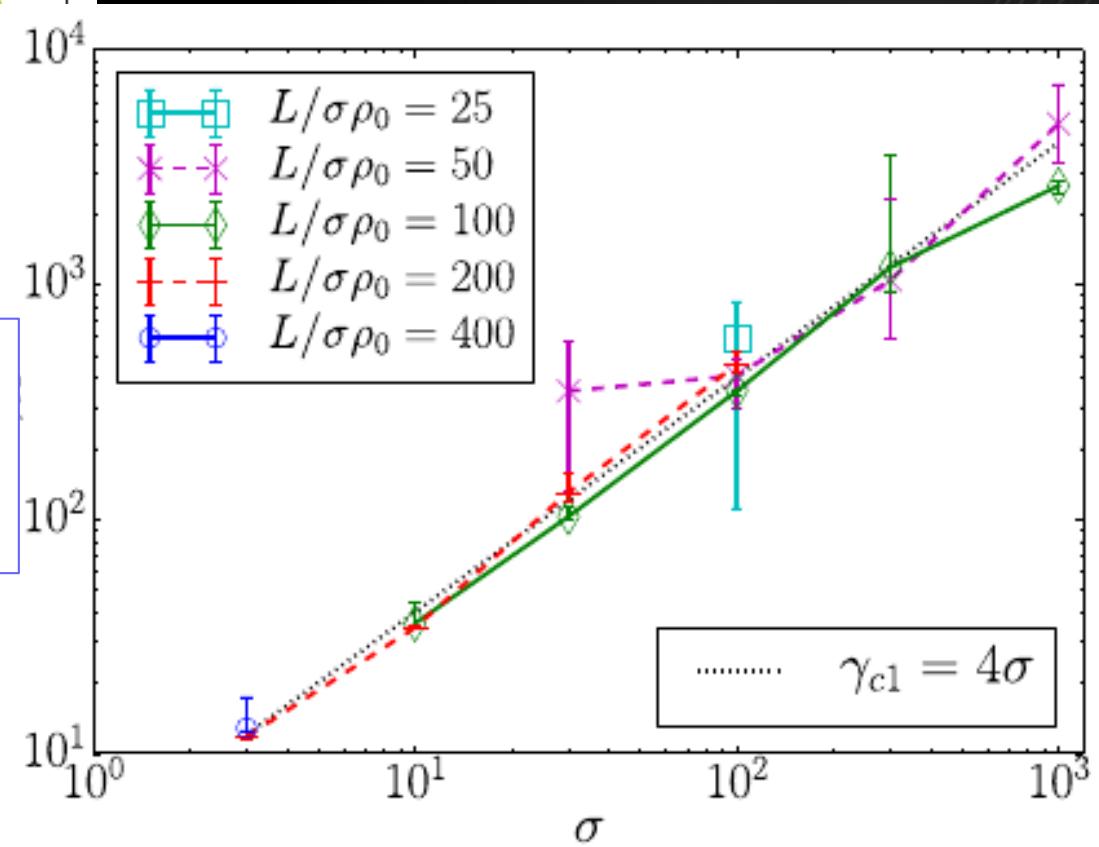
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The extent of the power law (1)

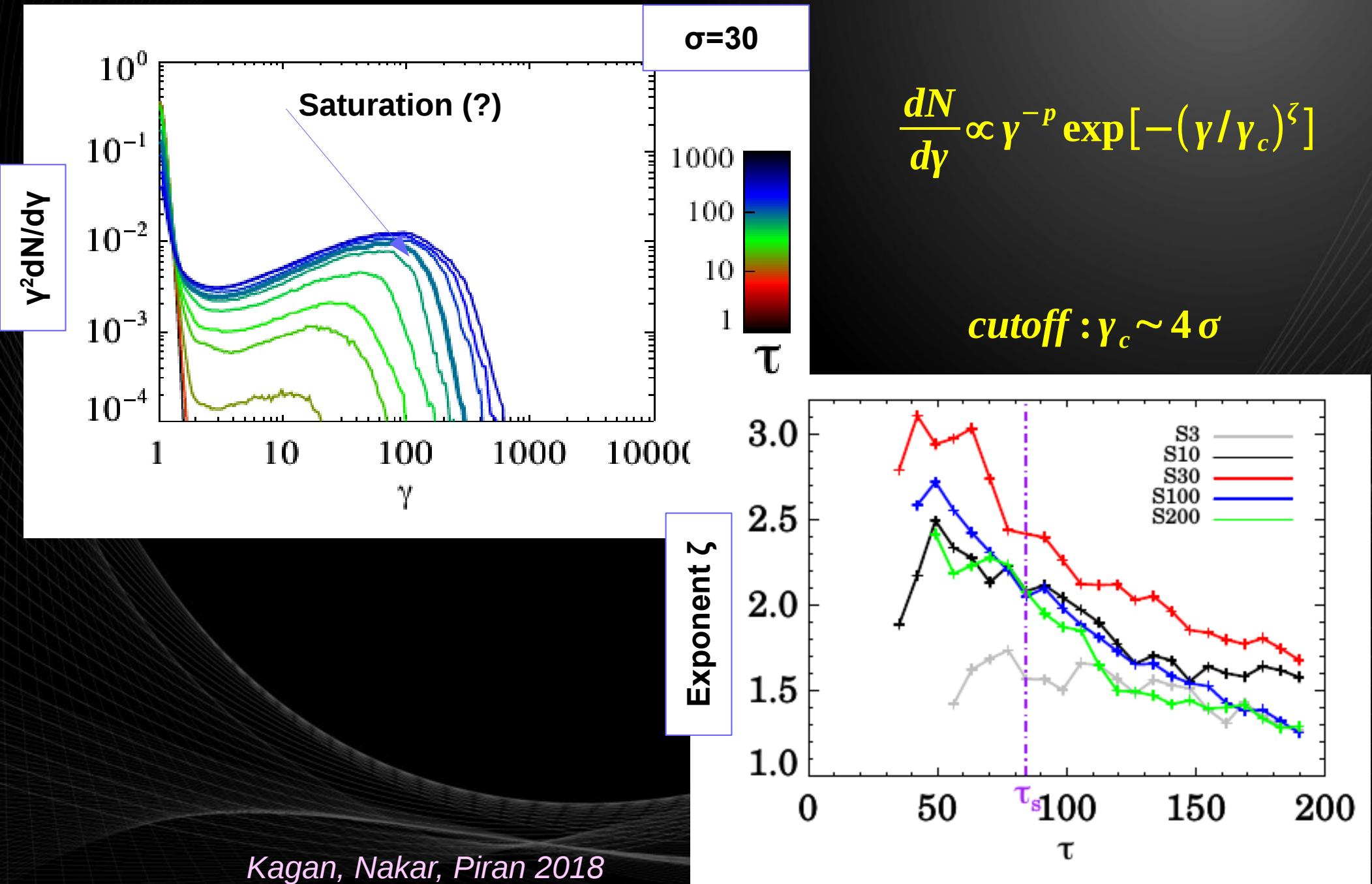


$$\frac{dN}{dy} \propto y^{-p} \exp[-y/y_c - (y/y_{c2})^2]$$

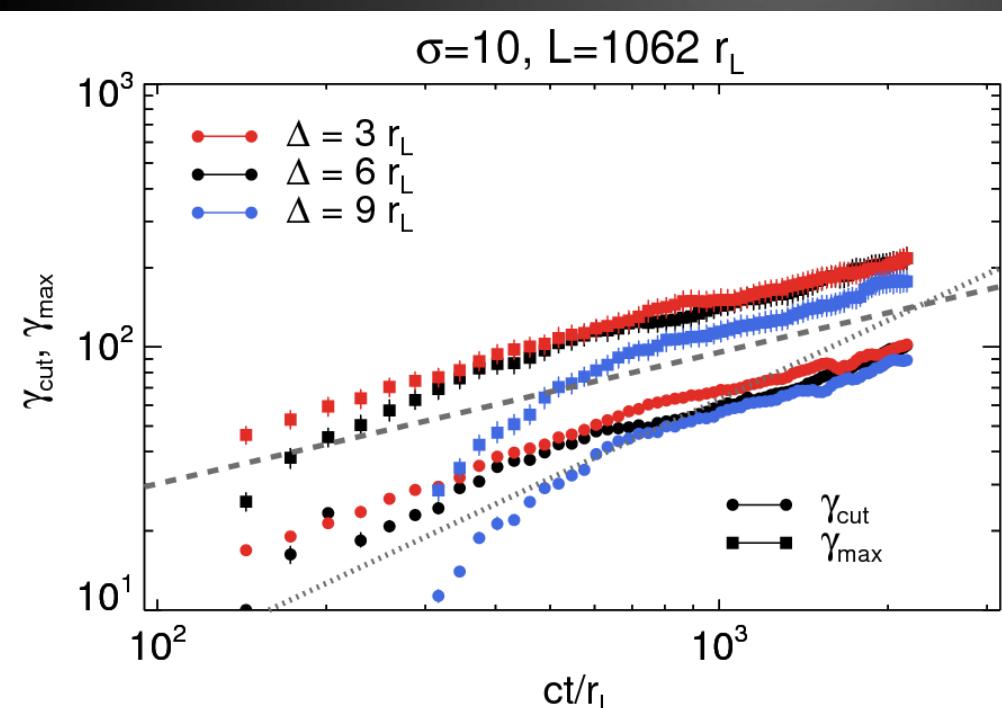
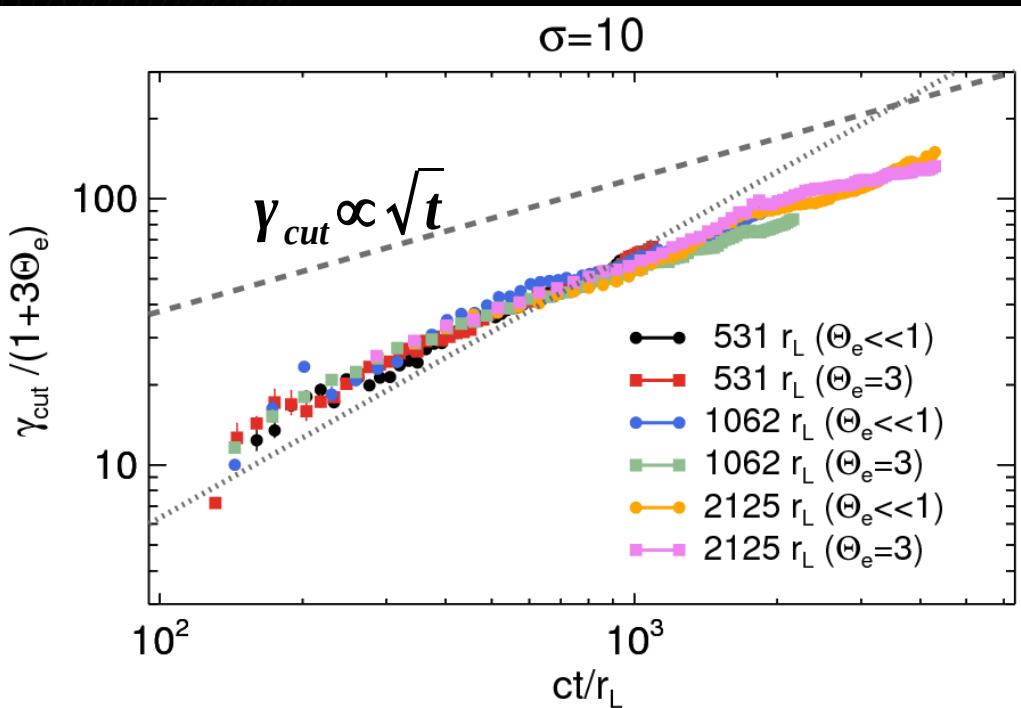
cutoff : $y_c \sim 4\sigma$



The extent of the power law (2)



Effects of physical parameters



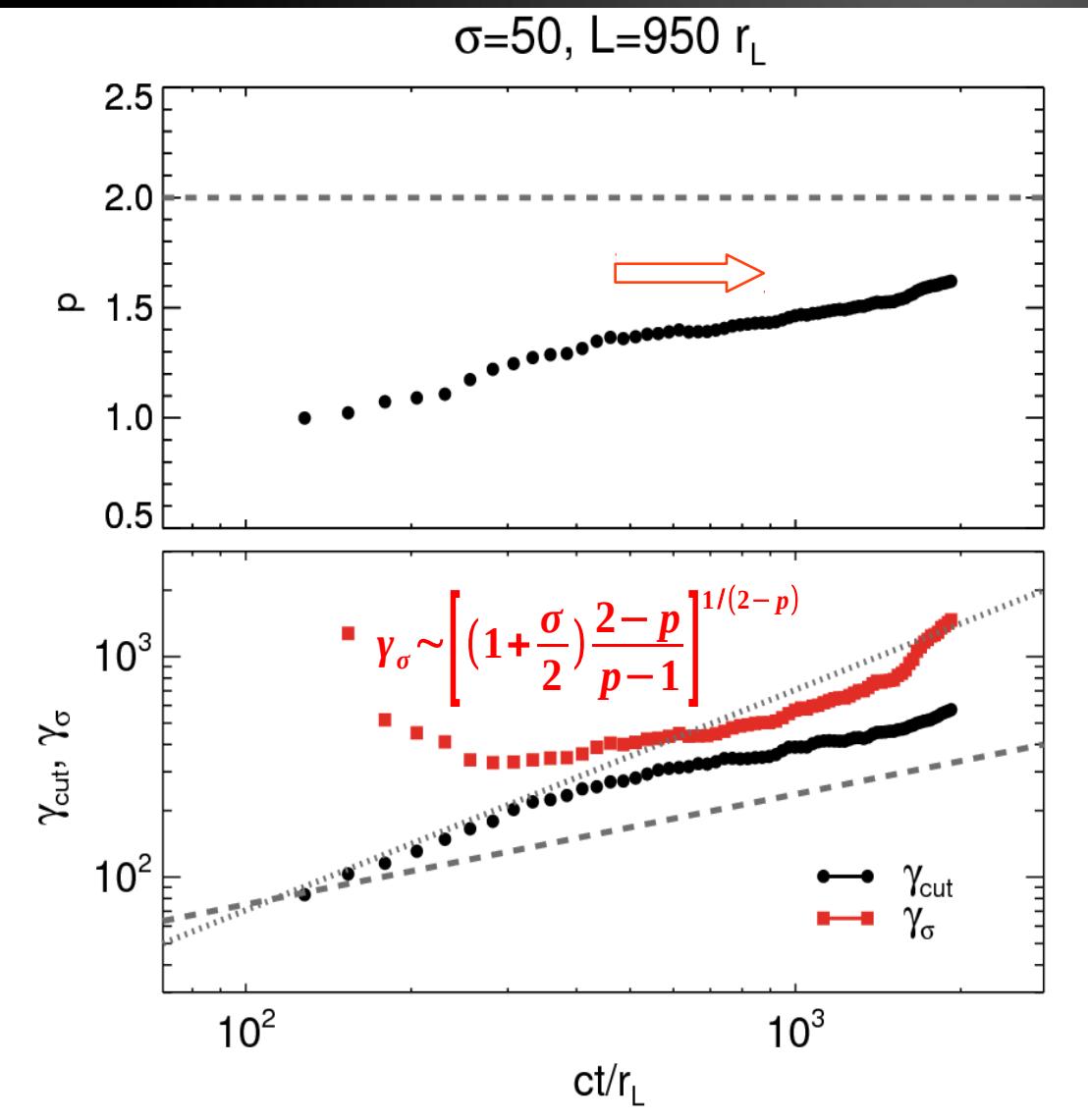
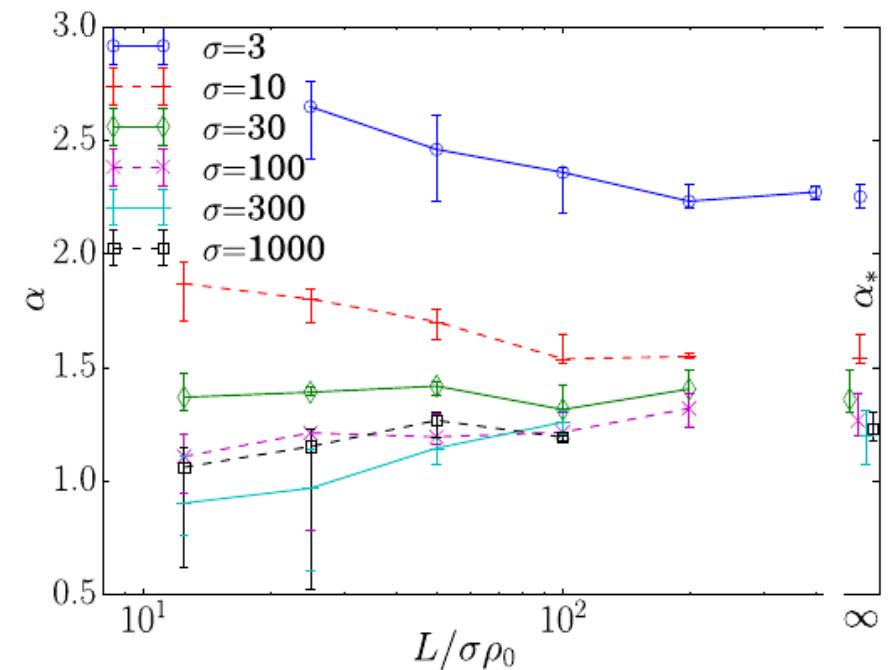
Late-time evolution of cutoff is independent of current sheet thickness

Similar evolution of cutoff for different upstream temperatures

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Energy crisis for $\sigma \gg 1$?

Hints of spectral softening over time

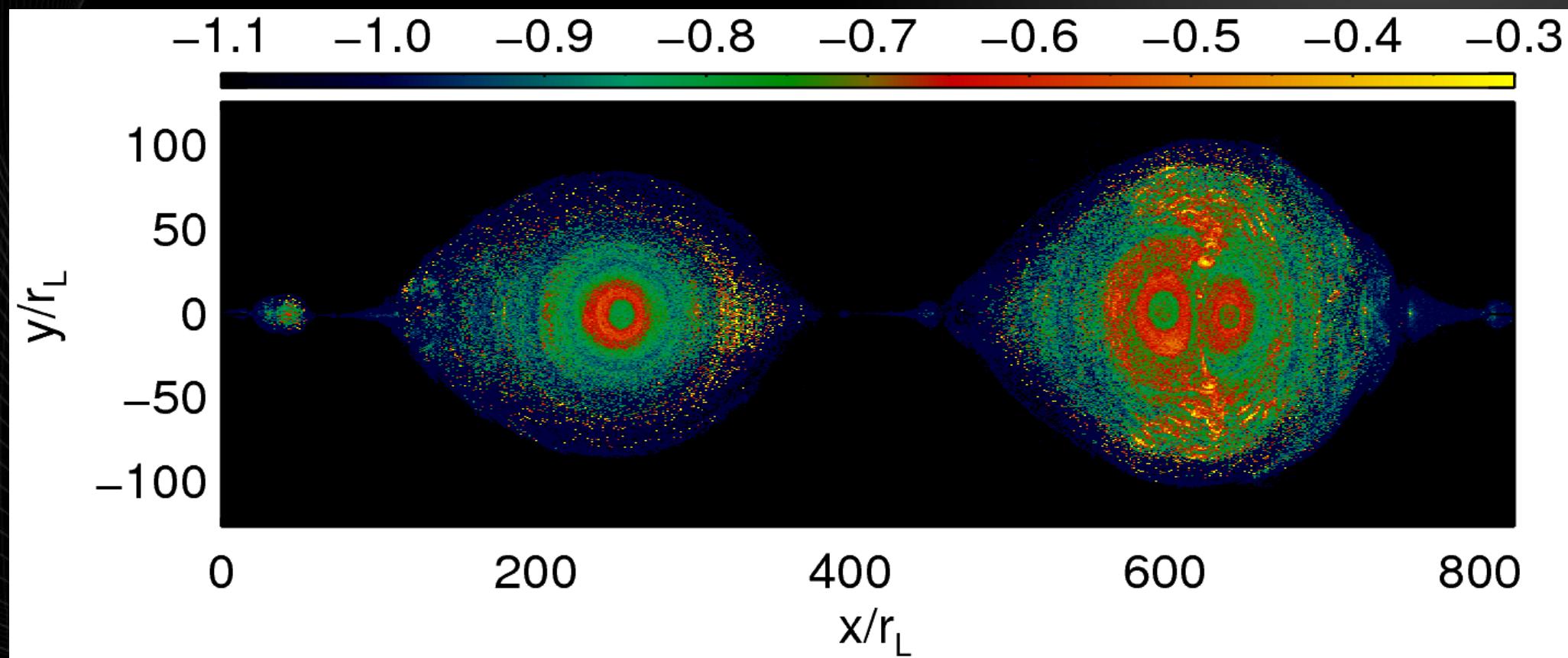


Hardness ratio

$$N_s = N(5 \leq \gamma \leq 25)$$

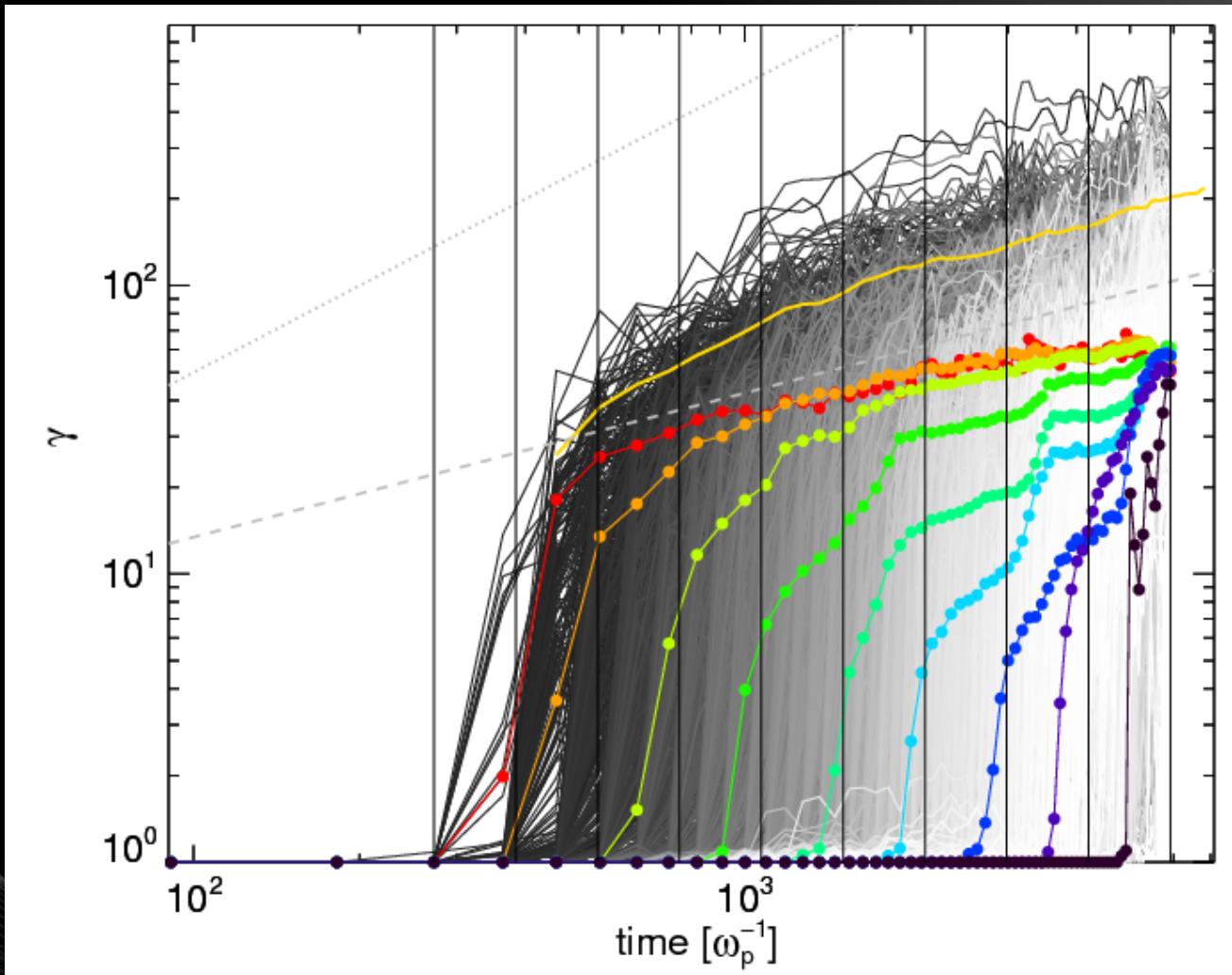
$$HR = \frac{N_h - N_s}{N_s + N_h}$$

$$N_h = N(25 \leq \gamma \leq 250)$$



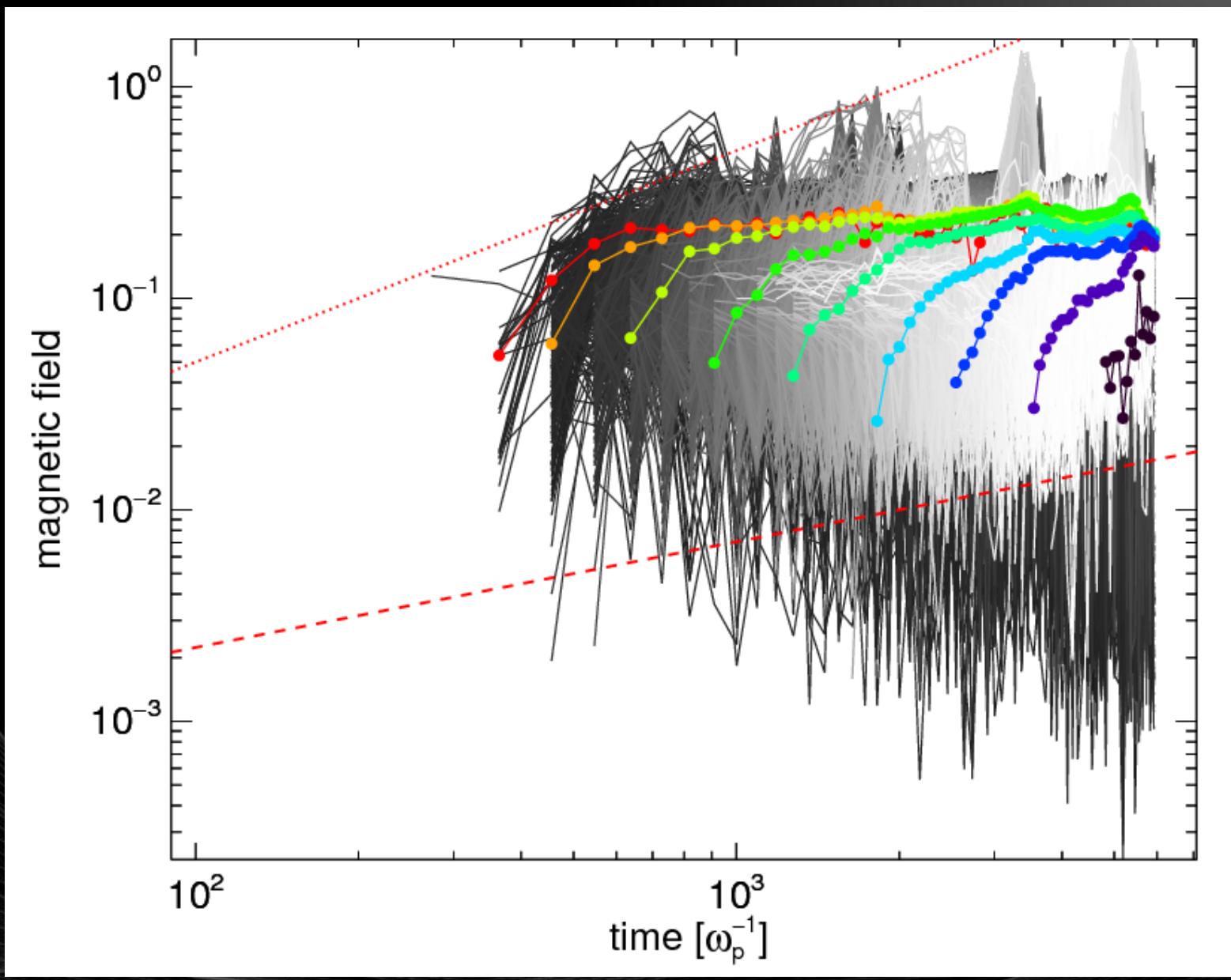
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Energy evolution of particles (2)



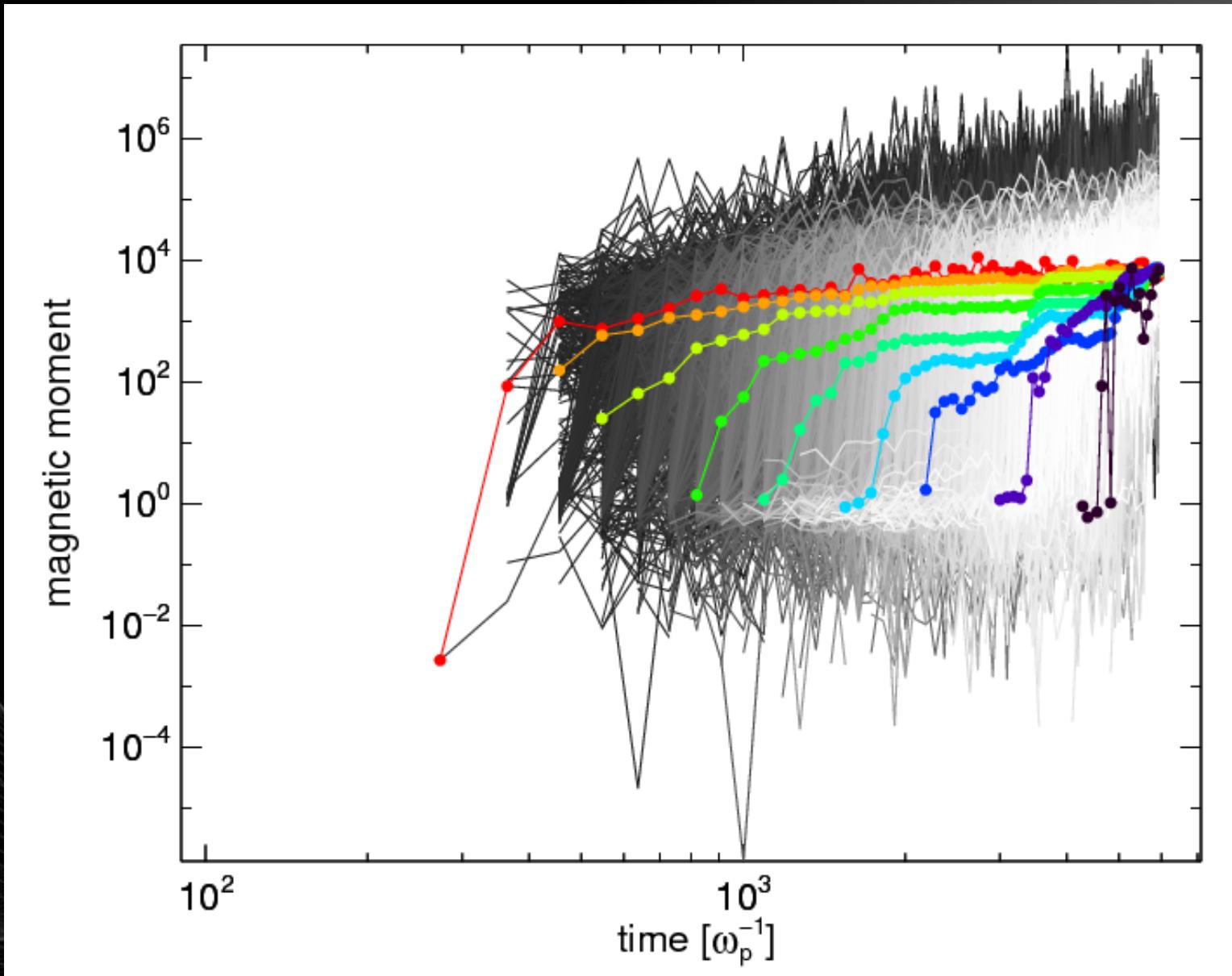
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Magnetic field along trajectory (2)



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here

Particle magnetic moment (2)



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